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 - 2 Mean occupation number determines whether particles behave like a classical wave, like classical particles, or quantum mechanically: Secs. 2.3 & 2.4; Ex. 2.1; Fig. 2.5
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1 Without a coordinate system, abstract notation: Secs. 1.3 and 1.9

2 Index manipulations in Euclidean 3-space and in spacetime

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