



Geological Society of London Handbook HANDBOOK SERIES EDITOR-KEITH COX



# The Mapping of Geological **Structures**

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Fig. 2.2: RAGAN D. M. (1985): Structural Geology; an Introduction to Geometric *Techniques.* 3rd ed., John Wiley and Sons, New York.

Fig. 3.5: HUDDLESTON, P., (1973): *Tectonophysics* 16, 1-46. Amsterdam, Elsevier.

Fig. 3.6 & Fig. 3.7: WILLIAMS G. D. & CHAPMAN, T. J. (1979), *Journal of Structural Geology,* 1, 181-186, Oxford, Pergamon.

Fig. 3.9 & Fig. 3.10: BELL, A. M., (1981), *Journal of Structural Geology*, 3, 197-202. Oxford, Pergamon.

Pig. 6.23b: RAMSAY, J. G., (1980). *Journal of Strllctural Geology,* 2, 83-99, Oxford, Pergamon.

Table 6.4: SIBSON, R. H., (1977). *Journal of the Geological Society of London*, 133, 191-214. Oxford, Blackwells.

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#### 1.1 Objectives

This book is designed as a basic guide to the field mapping and interpretation of geological structures. Emphasis is placed upon the identification of Structures and the systematic recording of structural data, as both should be a fundamental part of any mapping programme. The identification and description of structures, together with an understanding of their development, i.e. their movement patterns *(Kinematic analysis)* and an appreciation of the forces and stresses responsible for them *(Dynamic analysis)* are extremely useful for interpreting particular structures, and for knowing what geometry to expect whilst mapping in a particular terrane.

Structural data cannot be recorded or used in a vacuum. They must be accompanied by full lithological, sedimentological, petrological and palaeontological descriptions for their complete interpretation.

The following aspects are emphasised in this Handbook;

- 1 Recognition of structures.
- 2 What to measure and what to . describe.
- 3 How to analyse the data collected.

How to interpret the data and incorporate it into the stratigraphy, interpretation and regional syntheses for an area.

*Introduction* 

1

In all cases emphasis is placed upon systematic field observations accurate measurements of the orientations of structural clements, careful recording of the data in the field notebook, sketching and photographing the structures, and analysis in the field using the stereographic projection. Above all, structural geology requires the appreciation of the three-dimensional nature of structures. Think in 3D and learn to extend your view of structures above and below the map sheet.

#### 1.2 Fieldwork

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The importance of careful, accurate and systematic fieldwork cannot be overemphasised. Dasic geologic mapping techniques are described in Barnes (1981), and the field descriptions of sedimentary, metamorphic and igneous rocks are outlined in the companion Handbooks by Tucker (1982), Fry (1984), and Thorpe and Brown (1985) respectively.

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This Handbook describes the held techniques for mapping geological structures and for the identihcation and mapping of particular types of structure. It also gives a brief summary of the interpretation and analysis of structures.

Remember the following points:

- 1 Accurate measurement, observation and recording of all structural elements is essential. Avoid data selection in the field, otherwise you may find that upon further interpretation in the laboratory, you have failed to measure a key structural feature.
- 2 Carry out an ongoing interpretation whilst in the field (draw sketch cross-sections and maps). This will help you recognise key areas where further work may be necessary. Your interpretation will be governed by your experi ence and knowledge of regional structure, *but only accurate and weI/ recorded data will have a permanent value and permit continuous rein terpretation.*
- 3 Data should always be plotted on maps and cross-sections whilst in the field. Only in these circumstances can an effective, ongoing inte rpretation be achieved.
- 4 Structural data must be collected in conjunction with other lithological, petrological and palaeontological data.

#### *Conduct and safety in the field*

Fieldwork frequently puts geologists in hazardous situations. Structural

geologists commonly work in rugged and exposed terrain where 3D exposure is good. Be safety conscious and aware of the possible dangers, particularly from loose rock underfoot, and from rock falls. Barnes (1981) outlines fieldwork safety, and in addition to reading this the reader should also consult the safety checklist on p. 16 of this Handbook before commencing fieldwork. Always carry out fieldwork in compliance with the Geologists' Association Code of Conduct (see Barnes, 1981).

# **1.3 Tectonic and structural** regimes It is beyond the scope of this Hand-

book to describe regional structural relationships in detail, but it is useful to identify the dominant features associated with particular tectonic settings, as they provide a useful guide to the structures that may be found whilst mapping (Table 1.1). Characteristic families of structures may be expected to occur in a particular environment, e.g. shallow thrust faults and parallel folding in frontal regions of foreland fold and thrust belts, and this knowledge can greatly aid any ongoing interpretation. Table 1.1 is neither exhaustive nor exclusive in its contents and you should always be prepared for other structures to occur and record all the structural information from the outcrops In your mapping area.

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#### ACTIVE PLATE MARGIN REGIMES



Table 1.1 (cont'd) Structures.

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#### 1.4 Bedding

In sedimentary and many metamorphic rocks, bedding surfaces (surfaces of primary accumulation) are our *principal* reference frame (or datum). There are many possible bedforms in sedimentary sequences (see Tucker, 1982 for details) and the structural geologist must be aware that significant departures from layer-parallel stratigraphy can occur in certain sedimentary environments, e.g. deltas: thus structural data must always be collected in conjunction with sedimentological and stratigraphic data.

Bedding is one of the most important structural elements and the structural data that should be collected for bedding are outlined in Table 1.2. The spatial distribution of bedding or compositional banding (e.g. in gneissic terranes), will define the major fold and fault structures within your mapping area.

#### $1.4.1$ Way-up/younging and facing

Way-up/vounging is the direction in which stratigraphically vounger beds/units are found. (The term tops is also sometimes used in this con $text.)$ 

The stratigraphic way-up is of fundamental importance in determining the structure of an area. It is based upon a knowledge of stratigraphy and of small-scale sedimentary structures which indicate the stratigraphic way-up and the sequence of deposition. Sedimentary structures which

6

indicate way-up are discussed in Tucker, 1982 and are summarised in Fig. 1.1. Always look for and record way-up features when mapping.

The structural way-up refers to the bedding/cleavage relationships that indicate the position within a major fold structure (e.g. on the overturned limb of a recumbent fold). This may have no relationship to stratigraphic way-up. Take care to distinguish the two-see Chapter 3 for greater detail.

Facing is the direction within a structure i.e. along the fold axial plane or cleavage plane, in which vounger beds/units are found. This term is generally applied to folds, or cleavage relationships.

#### 1.5 'Synsedimentary' versus tectonic structures

In many areas of deformed sedimentary rocks it is difficult to distinguish between structures formed during deposition or early diagenesis when the sediment was unconsolidated, and those formed after lithification in response to tectonic forces. On cursory examination many 'synsedimentary' structures such as slump folds have superficial geometric similarities to 'tectonic' folds (Fig. 1.2a). Syndepositional faults are also common (Fig. 1.2b) and in some instances  $svn$ depositional cleavage fabrics have been observed (Fig. 1.2c). It is therefore extremely important when mapping to distinguish between syndepositional (prelithification)

Orientation of tectonic structures relative to bedding. (Figs. 4.3b,<br>5.1b) component of layer-parallel Results of Analysis Palaeocurrent directions Strain on bedding plane Palaeoenvironments.<br>Way-up—younging.  $3.12$ Depositional surfaces. (Fig. shortening. Nature of strain relative to<br>bedding. (Fig. 3.12 & Appendix<br>III) Lithology, bedding thicknesses What Observations to Record Tectonic structures (cleavage Grain shapes, grain fabrics. relationships, lineations on bedding plane). (Fig. 4.3b) Sedimentary structures. Geopetal structures. Grain-size. Data to be collected from observations on bedding S<sub>0</sub> Orientation of tectonic structures bedding plane (Figs. 2.11-2.13 & strain in deformed objects on the Dip direction (or strike and dip) on bedding plane (particularly Orientation and magnitude of ntersection) (Figs. 2.11-2.13) Orientation of sedimentary structures (Figs. 2.11-2.13). What to Measure the bedding/cleavage  $5,2.6,2.7$ (Figs. 2. Structure Table 1.2 Bedding

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Appendix III).

7



Fig. 1.1 Primary structures that may be used to determine the stratigraphic way-up of beds.  $(Cont<sup>3</sup> d on p, 9)$ 



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Fig. 1.2a Synsedimentary (Slump) fold in sandstone. Note the absence of fractures, veins, and cleavage.



Fig. 1.2c Recumbent Synsedimentary (Slump) fold in siltstones with the development of a weak flat-lying cleavage (cl).



Fig. 1.2b Listric syndepositional extensional fault (a) in siltstones and mudstones. Note the development of left-dipping antithetic faults (b and c). Scale, near (b), is 1 m.



Fig. 1.2d Syndepositional extensional faults (f) in sandstones. Note that the faults are curved in plan and are consistently downthrown to the right. Field of view is 4 m.

structures and post-lithification, 'tectonic' structures. In some situations e.g. active continental margins, sediments are deformed by tectonic forces very soon after deposition, before complete lithification. Hence you may find a complete spectrum of structures, from those formed during deposition to those formed deeper in the crust.

#### 1.5.1 Discrimination of  $prelithification('synsedimentary') from$ *post-lithification (tectonic) folds*

'Synsedimentary' folds or 'slump' folds have many geometric similarities to the shapes, wavelengths and size distributions of 'tectonic folds'. Slump folds are generally tight to isoclinal with variable shapes at low fold amplitudes. Their fold axes are commonly dispersed in the plane of the slump sheet and recumbent folds are dominant (Fig. 1.2c). The fold axial surfaces may be slightly imbricated (stacked up like shingles) and the folds face and verge down the inferred palaeoslope. Axial-planar cleavages are sometimes developed, particularly in the hinge regions (probably due to later compaction during burial). Lineations and grooving are sometimes produced by the motion of the slump sheet, and these may be refolded along with other minor structures. Slump sheet contacts may be gradational. Their upper boundaries may exhibit sharp erosional truncations. Synsedimentary fractures within slumped sequences are generally not sharp, and fracture open· ings are not maintained. Veining is absent although the fracture plane may be infilled with mobilised sedi. ment slurry. In general, slump folds have no genetic or geometric relationship to large macroscopic folds.

Syndepositional folding is commonly associated with disturbed sedimentary sequences-synsedimentary extensional faulting, convolute laminations, ball and pillow structures, dewatering structures, sand and mud volcanoes. Remember that slumps are characterised by extensional structures at the rear, whereas the front of the slump sheet will be marked by localised compression, with the development of folds, thrust faults and imbrications. The characteristic features of syndepositional folds are listed in Table 1.3 and are compared with the features of 'tectonic' folds (see Chapter 3).

#### 1.5.2 Discrimination of  $synsedimentary$  faulting from tectonic *faufling*

The attributes of tectonic faults are described in Chapter 6. They are characterised in particular by their geometric relationships with associated structures, folds, fractures and veining, and most importantly, by the development of fault rocks along the fault planes (Chapter 6.6). The presence of faults hounding major basin margins will be revealed by regional mapping, by the associated Table 1.3 Criteria used to distinguish between synsedimentary folds and 'tectonic folds'. A is the most reliable criterion and C is the least reliable. Note that several criteria must be used in conjunction in order to determine the origin of a particular fold. We have the set of the second process of the industrial selection of



facies distributions of coarse-grained fault~derivcd sediments adjacent to the fault scarp, by increased sediment thicknesses adjacent to the fault, and by associated smaller syndepositional faults and slumps indicating active tectonism during sedimentation. Here, attention is focussed on outcrop scale features indicative of synsedimentary faults.

- 1 Synsedimentary faults typically do not affect *all* of the stratigraphic sequence and are overlain by unfaulted sediments in depositional contact.
- 2 The faults arc typically listric in shape (Pig. 1.2b).
- 3 The faults are typically irregular in plan-often curved (Fig. 1.2d).
- 4 The down-thrown side of the fault is commonly infilled with a triangular wedge of sediments (Fig. 1.3a) which in some cases may be coarser grained than the surrounding sediments.
- 5 There is an absence of veining and fault rocks typical of brittle deformation (Chapter 6.6).
- 6 The fault planes are not generally smooth planar fractures, but are often irregular on a small scale (Fig. 1.3b), commonly with injected sediment slurry along the fault plane.
- 7 The faults are often associated with syndepositional slumping<br>and disturbed sedimentary and disturbed sedimentary sequences- convolute laminations, dewatering structures and sand volcanoes.



Fig. 1.3b Small syndepositional fault in sandstones, showing an irregular fault plane and injection of sediment slurry along the fault plane.



This is commonly found in the deformed mudstones of slumped sequences. The foliations are planar and parallel to the sheet dip of the sediments, and typically have the appearance of a slaty cleavage or very closely spaced, fine fracture cleavage (Fig. 1.4). They arc axial-planar to recumbent slump folds (Fig. 1.2c) and generally do not penetrate sandstone layers but are restricted to mudstones. Slight fanning of the cleavage may occur but the strong refraction of cleavages commonly found in lithified rocks (Chapter 4.3) does not usually occur.

If there is evidence of synsedimentary deformation, then great care has to be taken in recognising and mapping cleavage features. Tn such circumstances careful examination of all of the field relationships is required before a cleavage can be ascribed to syndepositional processes or to later tectonism.



Fig. 1.4 Slump fold with a flat-lying syndepositional axial-planar cleavage (cl). Field of view 2 m.



Fig. 1.3a Syndepositional extension faults (f) showing rotation of fault blocks and infilling of the half-graben with a wedge of sediment (w).

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#### 1.6 Basic References

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#### 1.7 Safety .

1. Do not run down hills.

2. Do not climb rock faces unless

you are a trained climber and you have a friend present.

- 3. Do not enter old mine workings or cave systems except by arrangement, and always in company.
- 4. Wear easily seen clothing.
- 5. Always wear a safety helmet in quarries, under steep cliffs and scree slopes, and underground, and wear goggles when hammering rocks.
- 6. Note weather forecasts in mountainous country and if you are going into a remote part of an area leave with a responsible person your route map and the time you expect to return.
- 7. Keep a first aid kit and manual in camp. Carry a small emergency kit in your rucksack, including dressings for blisters, a whistle and a flashlight for signalling (and a mirror if your compass does not have one). Include, also, matches sealed in a waterproof plastic bag, and an aluminized foil 'space blanket' (it weighs almost nothing). In hot climates, carry a water bottle and a packet of effervescent water sterilizing tablets. Always carry some form of emergency ration in case you have to spend a night on a hillside in mist or snow.
- 8. The accepted field distress signal is six blasts on a whistle or six flashes with a mirror or flashlight, repeated at minute intervals. Rescuers reply with only three blasts or flashes repeated at minute intervals to prevent rescue parties homing in on each other.

#### In this section the procedures used in the field to record geological structures will be briefly discussed. Barnes (1981) gives an excellent resume of hasic mapping techniques, whereas this Handbook focusses upon structural mapping.

If you was a hard of a

#### 2.1 Equipment

In addition to the usual field equipment-a hammer, hand lens, acid bottle, pen knife and First Aid kit, structural mapping requires the following:

#### In the field

Notebook: Stiff covered and waterproof; sufficiently large to draw sections and sketch maps but not too large to become bulky  $(20 \text{ cm}) \times 10 \text{ cm}$  is an optimum size). Map board: For base maps and/or aerial photographs, non-magnetic (size approximately  $30 \text{ cm} \times 25 \text{ cm}$ ). Compass-clinometer: Silva Ranger 15 T or a hinged lid type compass with a bubble level e.g. Freiberg compass or a Chaix Universal. (See p. 18.) Separate clinometer  $or$ level: Optional.

# Mapping techniques

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Altimeter: Thommen mountain type for areas with appreciable topography.

Base maps: Detailed topographic maps at the appropriate scales. In structural mapping it is essential to accurately locate yourself and the base maps must have sufficient topographic contours for the purposegrossly enlarged topographic maps are generally unsuitable. Copies of base maps should be used in the field. Aerial photographs: are extremely useful even when good base maps are available; in particular for mapping boundary features.

Mylar overlays: for aerial photographs. Pocket stereoscope. Good 35 mm camera and films.

#### In camp

In addition to the necessary drafting stereographic proequipment, jections and tracing paper, the following are required:

Graph paper: for section construction.

Map wheel: for section construction.

The appropriate Geological Society Handhooks.

A book on the use of stereographic projections (see References).

#### Compass-clinometers

For structural mapping you require a compass clinometer that meets the requirements; following  $(1)$ accuracy, (2) reliability, (3) ease of operation, and if possible, (4) one that contains a bubble level. Although many types of compass are available (see Barnes, 1981) the following have been found to be the most satisfactory:

- the Silva Ranger 15 T (Fig. 2.1a)  $(a)$
- the Freiberg compass (Fig.  $(b)$  $(2.1b)$ , and
- the Chaix compass (Fig. 2.1c).  $(c)$



Fig. 2.1a Silva Ranger 15TD-CI. student's compass/clinometer.

Students will generally use the Silva compass because of its relatively low cost, whereas professional geologists may prefer the Freiberg or Chaix compasses. For structural geology the Freiberg compass has distinct advantages, in that the hinged lid (Fig. 2.1b) is placed against or along-



Fig. 2.1b The Freiberg compass with a hinged lid clinometer.



Fig. 2.1c The Chaix compass with the clinometer in the lid (compass courtesy of Topochaix Ltd., Paris).

side the structure to be measured, enabling the azimuth and plunge to be measured in one operation (see Section 2.3 for details). This allows rapid, accurate structural measurements to be taken, particularly of linear features.

#### 2.2 Stereographic projections

The stereographic projection is a fundamental tool in structural geology and is used to represent 3D orientation data in a 2D graphical form. It is commonly used to solve problems involving the angular relationships of line and planes in

3D space. It cannot be used to solve problems involving the relative geographic positions of lines and planes. It is beyond the scope of this Handbook to describe the construction and plotting of stereographic projections and the reader is referred to excellent texts on the plotting and manipulation of stereographic projections by Phillips (1971) or Ragan (1985). It is essential that before commencing any structural fieldwork the reader should be familiar with the plotting and simple manipulations of the stereographic projection.

#### 2.2.1 Types of stereographic projection

Two types of stereographic projection may be used—the Wulff net or equal angle net (Fig. 2.2a) and the Schmidt or equal area net (Fig. 2.2b). The Wulff net is used to solve angular relationships, particularly where geometric constructions are made on the net, whereas the Schmidt net is used to solve angular relationships and to statistically evaluate orientation data using contoured stereographic projections. In this Handbook equal area lower hemisphere projections are used.  $\mathbb{R}^n$  ). Here,

Where structural data are numerous it is appropriate to statistically evaluate them by contouring. In the field this can be easily done by using a counting net, the Kalsbeck net (Fig. 2.2c, p. 20) (see Ragan. (1985) for details of counting and contouring techniques).



Fig. 2.2a The Wulff equal angle stereographic projection (reproduced with permission from Ragan, 1985).



Fig. 2.2b The Schmidt equal area stercographic projection (reproduced with permission from Ragan, 1985).



#### KAlSBEEK COUNTINC NET

Fig. 2.2c Kalsbeek counting net (reproduced with permission from Ragan, 1985). The equal area plot is placed on top of this net and the points falling into each hexagonal segment (1% of the total area of the net) are counted with the total posted at the centre point of each hexagonal segment. The totals at the centre points are then hand contoured in values of % per 1% arca.

#### *On stereographic projections:*

- 1. planar structures plot as great circle lines bur may also be commonly represented hy poles (or normals) to the planes; these plot as points on the projection (Fig.  $(2.3)$ .
- 2. linear structures plot as points.

#### 2.3 How to measure structures

Most compasses can be adjusted to correct for the angular difference (declination) between magnetic north and geographic north. This correction should be made with refcrence to tOpographic maps of your area before you begin mapping, and should be recorded in your field notebook. The setting of your compass should also be checked periodically during the course of your mapping programme.

#### 2.3.1 *Conventions*

Most geologists tend to record the attitude of planar structures as a strike and dip, e.g. Strike 220°, Dip 45° SE. Three measurements have to be made at each location: strike, dip and general dip direction, and ambiguous records are easily made when the directions of dip arc often forgotten, and omitted. Tt is much safer and unambiguous to record dip directions for planar structures: e.g. bedding  $45^\circ \rightarrow 130^\circ$ , i.e. a bedding dip of 45° in the direction 130° from north (Fig. 2.4), and for linear strucrures record the plungc, e.g. plunge of minor fold axis  $20^\circ \rightarrow 120^\circ$ , i.e. a 20" plunge to the fold axis in the direction 120° from north (Fig. 2.4).



Fig. 2.3 (a) The pole to a plane. (b) stereographic projection of the plane and the lower hemisphere pole to the plane.

Structural data should be *consistently* recorded in the following formats: Angles (measured from the hori*zontal*) in 2 digits e.g. 20°. Azimuths *(measured from north in a horizontal plane*) in 3 digits e.g. 120°, i.c. Fold plunge  $20^{\circ} \rightarrow 120^{\circ}$  or dip direction of bedding  $45^{\circ} \rightarrow 130^{\circ}$ . These sign conventions are unamhiguous and definitive.

#### 2.3.2 Methods for measuring - *planar surfaces*

Planar structures such as bedding, cleavage, schistosity, fold axial planes, fault planes, joints and veins are all measured in essentially the same way. The methods of measurement are illustrated using both conventional compasses such as the *Silva RafJgfr* 15 T and the *Freiberg*  compass.



Plunging Minor Fold

20°-120° Hinge line (fold axis)

120"

Minor, 20 fold  $\bar{J}$ axis

> Plunge Direction. (azimuth)

Fig.  $2.4$  (a) Bedding plane dipping  $45^\circ$ towards  $130^\circ$  (strike  $040^\circ$ , dip  $45^\circ$  SE) and show. ing the stereographic projection of the plane and the pole to the plane.  $(b)$  Minor fold axis. plunging 20' towards 120' and showing the stereographic projection of the minor fold axis.

*Method 1: Measurements with con* $ventional$  compasses **c.g.** Silva Ranger 15 T. (Fig. 2.1a, 2.5a-d)

## *Method 1a:* strike and dip method

- 1 Find the strike line (the hori~ zontal line on the planar structure) by using the Silva compass as a clinometer and locating the direction of zero dip on the plane (Fig. 2.5a). Mark this line (the strike line) on the surface using a soft pencil (B or HB).
- 2 Measure the azimuth of this line (i.e. its direction from north)  $(Fig. 2.5b)$  this is the strike of the plane. Record this angle, e.g. 220".
- 3 Using your compass as a clinometer, place the edge at 90° to the strike line and measure the amount of maximum dip (Pig. 2.5c). Record this angle  $-45^\circ$ and record the direction of dip-SE.

The strike and dip of the plane is: strike 220°, dip 45° SE.

Note: if the surface is rough or uneven an average reading can be



 $Fig. 2.5a$  Finding the strike line (zero dip) line) on the bedding surface using the *Silva* 15TD-CL and marking the line with a soft pencil.



Fig. 2.5c Measuring the amount of dip (90° to the strike line) using the clinometer on the Silva 15TD-CL.



Fig. 2.5b Measuring the azimuth of the strike line.

obtained by placing your map board on the surface and taking your measurements on this (Fig. 2.5d).

#### *Method 1b: dip direction method*

Using the compass as a clinometer find the direction of maximum dip on the plane (Fig.



Fig. 2.5d Use of the map board to carry out measurements on an irregular surface.

2.6a). Mark this dip direction line on the surface and measure the angle of maximum dip. Record *this reading* e.g. 45°.

2 Place your notebook or. mapboard along the dip direction line and holding it *vertical* measure the azimuth (direction) of the dip (Fig. 2.6b). *Record this reading,*  e.g. 130".

 $(b)$ 22



Fig. 2.6a Dip direction method using the Silva compass. Identify the position of maximum dip on the planar surface by using the clinometer on the compass. Mark this direction on the bedding surface and record the value of maximum dip.

#### *Method 2: Measurements with the Freiberg compass*

The Freiberg compass (Fig. 2.1b) allows rapid detcrmination of the *dip directions* of a planar structure in one operation. Place the hinged lid of the compass against the surface to be measured and, keeping the base of the compass horizontal, (using the built-in spirit level) measure the azimuth of the dip direction c.g. 130° (Fig. 2.7). The dip can be read directly from the graduated hinge axis on the side of the compass e.g. 45°. Record these readings. The dip direction of the plane is  $45^{\circ} \rightarrow 130^{\circ}$ 



Pig. 2.6b Determine the azimuth of thc dip direction hy placing your notcbook along the line of maximum dip and keeping the notebook vertical, measure this direction.

The dip direction of the plane is  $45^\circ \rightarrow 130^\circ$ .

Note: always measure the direction or azimuth looking down dip, i.e. into the earth. Care must be exercised to measure the correct direction.



Fig.2.7 Measure the amount and direction of dip of the bedding by placing the hinged lid of the Freiberg compass flat on the bedding plane.

*Method 3: Measurements with*  $<sub>conventional</sub> \textit{compress} \textit{or} \textit{the Freiberg}$ </sub>  $compass$ 

Problems may arise when no suitable surface is available on which the compass can be placed, or the surface is too rough. In these situations the notebook or mapboard should be used to make a measurable plane parallel to the geological planar structure. This technique is illustrated in Fig. 2.8 where cleavage plane (Fig. 2.8a and b) or a fold axial plane (Fig. 2.8c) is measured by placing the map board parallel to it and then measuring the orientation of the mapboard using Methods 1a, 1b or 2 (the axial planes of folds are not commonly exposed as surfaces, so this method is often the only way to measure them).



Fig. 2.8b Measurement of the dip of a cleavage planc using a Silva compass and aligning the map board along the cleavage plane.



Fig. 2.8c Measurement of the orientation of the axial plane of a minor fold. Align the map board parallel to the fold axial plane and measure the dip direction using the Freiberg compass.

Fig. 2.8a Measurement of the strike of a cleavage plane by aligning the map board along the cleavage plane and measuring the azimuth (direction) of strike using the Silva compass.

Note: many students do not take enough readings in poorly-exposed areas because good planar surfaces are not exposed. Use of the map board to measure planar structures is essential in these situations.

#### *Method* 4: Sighting method

For moderate to steeply dipping planar structures it may be possible to measure the strike and dip by sighting along the compass (Barnes, 1981). This method is particularly useful when beds or outcrops do not form exposed planes convenient to measure. It is also useful for determining the average dip (or sheet dip) of a large outcrop or cliff exposure. In this method it is essential that you align your line of sight parallel to the stike of the beds or planar surface to be measured.

- 1 Align yourself so that your line of sight is parallel to the strike of the planar surface, (Fig. 2.9a).
- 2 Sight along your compass and measure the azimuth or bearing of the strike of the plane (Fig. 2.9a). *Retord tbis azimuth* c.g. 150'.
- 3 Using the compass as a clinometer, align the edge of the compass with the dip of the planar surface (Fig. 2.9b) and measure the dip angle and the direction of dip, i.e. 60° SE. Record these readings.

The planar surface strikes 150° **and dips** 60° SE.



Fig. 2.9a Sighting method. Measure the strike of bedding by aligning the Silva compass parallel to the strike.



Fig. 2.9b Sighting method. Measurement of the angle of dip of the bedding using the clinometer of the Silva compass aligned parallel to the dip.

Remember that the techniques described above apply to the measurement of *any* planar surface, e.g. bedding, cleavage, schistosity, fold axial planes, joints, fault planes and veins.

2.3.3 Methods for *measuring* - linear *structures* 

Linear structures (i.e. lines) include bedding/cleavage intersection lineations, mineral stretching lineations, minor fold axes or hinge

lines, slickensides and crystal fibre structures. All linear structures are measured in the same way, either as a plunge (Fig. 2.10a) or as a pitch in a plane (Fig. 2. lOb). See Fig. 2.10c for a stereographic projection of these measurements.



Fig. 2.10 (a) Measurement of the plunge of a lineation L,  $20^\circ \rightarrow 060^\circ$  within the bedding plane. The angle 20° is measured in a vertical plane (azimuth  $060^{\circ}$ ) containing the lineation L<sub>1</sub>. (b) The pitch of a lineation L<sub>1</sub> is measured as  $28^{\circ}$ E from a line striking 40° east in the bedding plane.

(c) Lower hemisphere stereographic projections of plunge and pitch of the Jineation  $L_1$ .

Method 1: Measurements with conventional compasses, e.g. Silva Ranger 15 T Method 1a: Plunge of a lineation or fold  $axis$ 

- 1 Place the edge of your mapboard or notebook along the linear structure to be measured (Fig. 2.11a and d). Keeping the mapboard or notebook vertical. measure the azimuth of the direction of the plunge (Fig. 2.11b and d). Record this direction, e.g. 060°.
- Using the compass as a  $\overline{2}$ clinometer, measure the plunge of the linear structure by placing the edge of the compass along the structure (Fig. 2.11c and e). Record this plunge, e.g. 20°.

#### Plunge of the lineation  $20^{\circ} \rightarrow 060^{\circ}$  (see Fig. 2.10a).

#### Method 1b: Pitch of a lineation

- 1 Find the strike of the plane as described in (Section 2.3.2) and Figs 2.5a and b. With your pencil inscribe the strike line on the planar surface so that it intersects the lineation  $L_1$  (Fig. 2.12a). Measure the strike and dip of the plane (as described above in Section 2.3.2, Method 1a). Record this data, e.g. strike 220° dip 45° SE.
- $\overline{2}$ Lay your compass on the plane that you have measured, and use it as a protractor by aligning the edge of the compass along the strike line and rotate the calibrated outer ring until the reference arrow is parallel to the strike line. Note this reading on the outer ring. Now rotate this cali-



Fig. 2.11a Measurement of a lineation  $L_1$  bedding/cleavage intersection in the bedding plane. Place the edge of your notebook along the lineation L<sub>1</sub>.



Fig. 2.11b Bring the notebook to the vertical and keeping it vertical, measure the azimuth of plunge of the lineation using the Silva compass.



Fig. 2.11c Measure the amount of plunge of the lineation L<sub>1</sub> using the clinometer of the Silva compass.



Fig. 2.11d Measurement of the plunge of a minor fold axis. Place the map board along the fold axis and keeping it vertical, measure the azimuth (direction) of the plunge.



Fig. 2.11e Measure the amount of plunge of the fold axis by placing the edge of the Silva compass on the fold axis and using the clinometer.

brated outer ring until the reference arrow is parallel to the lineation (Fig. 2.12b) and note this new reading and the direction of the pitch of the line. The difference between the two readings is the pitch of the L<sub>1</sub> in the plane. Record this data, e.g., the pitch of the line is 28° North in the plane which has a strike of 220° and dip of 45° SE (see Fig. 2.10b).

Note: The method of measuring pitches is most useful on steeply dipping planes where accurate determinations of plunge can be difficult, and when the lineation itself is steeply plunging, making accurate



Fig. 2.12a Measurement of the pitch of the bedding/cleavage intersection lineation L<sub>1</sub> on the bedding plane using the Silva compass. Mark the strike line on the bedding plane and determine the strike and dip of the bedding as in Fig. 2.5.



Fig. 2.12b Using the Silva compass as a protractor, place it on the bedding plane and measure the angle between the strike of the bedding and the lineation L<sub>1</sub> on the bedding plane (see text for details).

plunge determinations difficult and resulting in large errors in azimuth. Reference to Fig. 2.10c will remind you that using a stereonet plunge can be obtained from a measure of pitch, and vice-versa.

#### *Method 2: Measurements with the Freiberg compass*

Place the side-edge of the hinged compass lid along the linear structure to be measured and then, keeping the base of the compass horizontal, read off the azimuth of the plunge direction. Then measure the amount of plunge on the calibrated hinge pin. *Record this data, e.g.*  $20^\circ \rightarrow 060^\circ$ . This method is illustrated in fig. 2.13 for the measurement of a minor fold axis.

Note: In some cases it may not be possible to align the compass directly on the lineation. Tn these cases the linear structure may be extended by placing a pencil parallel to the lineation (i.e. in a weathered out fold hinge) and then measuring the plunge of the pencil (Fig. 2.14).

#### 2.4 The field map and aerial photographs

The field map, aerial photographs and *field notebook are the most important records of your field observations* . *Take great care of them. They must be:* 

- 1 *labelled with your name and address,*
- *2 neatly and carefully drafted and legible,*
- 3 fully annotated with legends, symbols and scales, and contain all the necess*ary location information,*
- completed whilst you are in the field.

The importance of completing your map whilst in the field cannot he overemphasised, as it is only then that you can carry out an ongoing



Fig. 2.13 Measurement of the plunge of a minor fold axis by placing the edge of the Freiberg compass on the hinge line.



Fig. 2.14 Measurement of the plunge of a minor fold axis by using a pencil to extend the axis.

interpretation, construct cross-sections and identify key and problem areas that warrant further work.

#### 2.4.1 Styles of mapping

The style of mapping used is largely controlled by the map scale, the degree of structural complexity and the degree of exposure. If good detailed topographic maps are available then field data may be plotted directly onto these. Where insufficient detail is shown on the

topographic map, aerial photographs must be used in the field for accurate location of outcrops, and to map in lithological boundaries and structural trends. The data is subsequently transferred onto the base map (Barnes, 1981). Barnes (1981). reviews various mapping styles, and these are summarised below.

- *Traversing* is used mainly for  $\overline{1}$ regional mapping at scales of 1:250,000 to 1:50,000.
- *2 Contact mapping* is used mainly for more detailed mapping at scales of 1:50,000 to 1:15,000.
- 3 *Exposure mapping* is detailed mapping during which the location and size of each outcrop are recordcd, usua1Jy at scales of 1:15,000 to 1:1000.
- *Baseline mapping* involves detailed mapping using a measured bascline (or compass and pacing) at scales of 1:10,000 to 1:500.
- 5 Grid mapping or plane table mapping are techniques used for detailed exposure mapping at scales of 1:1000 to 1:1.

*Traversing:* In structurally complex areas this is the best method of quickly establishing basic stratigraphic and structural relationships. It can be achieved by traversing perpendicular to the strike of the dominant structural trend and by constructing sketch cross-sections in the field. Fig. 2.15 shows a skctch section through a simple antiformal structure (note the use of bedding/cleavage relationships to locate the hinge region of the antiform).

*Contact Mapping:* This technique

involves following lithological or structural contacts in order to establish 3D structural relationships. For example, it may be riecessary to determine if a fault cuts up or down stratigraphy or to establish the outcrop pattern in a polyphase deformation terrane.

*Exposure Mapping:* This method is essential for detailed structural studies in complexly deformed areas. In particular it is used to establish structurally homogeneous sub-areas and to establish interference relationships in areas of complex folding. An example of exposure mapping is shown in Fig. 2.16.

Baseline, grid and plane table map*ping:* Detailed mapping using these techoigues is essential in establishing detailed relationships in one outcrop or in a group of closely-spaced outcrops. Key structural relationships are illustrated by these methods. An example of bascline mapping is shown in Fig. 2.17.

#### 2.4.2 Map scales

A *detailed structural map* may be produced at any scale from 1 :250,000 to 1:1. The same types of structural data should be collected at every locality, *irrespective* of the scale at which you arc mapping. Failure to measure all available structural clements may seriously hinder your future interpretations. Avoid using base maps which have been excessively enlarged from a large scale topographic map: they are no more accurate than the maps from which they come.



Fig 2.15 Field sketch through an antiform, illustrating the use of bedding/cleavage relationships to determine the position of the hinge of the fold. Structural data are plotted at the base of the section so that the section can be related to the map more readily. Symbols as in Table 2.1 (p. 42).



Fig. 2.16 An example of exposure mapping in an area with two cleavages developed.



Fig. 2.17 An example of detailed baseline mapping with the locations measured off from the baseline (e.g. Barnes, 1981).

#### Aerial photographs  $2.4.3$

In many situations, you will map directly onto overlays on aerial photographs (Fig. 2.18). Provided the central region of the aerial photograph is used, then problems due to excessive distortion can be minimised. Structural data, outcrop boundaries, formation boundaries, major fold axes and fault traces, and locality numbers are plotted directly onto the photograph overlay (Fig. 2.18). These are subsequently transferred onto your base maps using the

techniques outlined in Barnes (1981). Aerial photographs are particularly useful for accurate outcrop location. mapping lithological boundaries. and identifying and mapping structural features. In many areas the structural grain can be réadily seen on the aerial photograph but difficult to pick out on the ground. Use of aerial photographs is a skill that is acquired through practice and patience. Great care needs to be taken in accurately locating yourself and becoming accustomed to the scale of the photograph.



## 2.5 Field notebook

As with your field map, your field note*book is an important record of your field observations.* II *musl he.neal, legible, de* $arly$  written and well illustrated. Take *(are of il!* 

The field notebook is a record of activity and must contain the appropriate location and reference data, so that together with your field map it can be *interpreted* by *someone* else. Do not adopt the habit of treating it as your own personal rccord: when you are employed your notebook will belong to your employer. Do not use your own shorthand and hieroglyphics. You should record as much detail as possible and fully illustrate your notebook with sketches *(3D* if possible), interpretative sections and maps. Nothing is more frustrating upon returning to the laboratory than finding that your field notes are incomplete.

The key to producing good field notes is keen, careful observation and systematic recording. The following recording procedure should be adopted *at every locality*:

- 1 Date, time and location of your observations. Use grid references and aerial photograph reference number where appropriate.
- 2 Resume of your mapping method e.g. traverse up Steamboat Creek from road bridge at Km 14.
- 3 Outcrop locality number- to be also marked on your field map. Include a brief summary of the outcrop characteristics-size

and general nature of the exposure.

- 4 Record the lithological characteristics (for details see Barnes, 1981, Tucker, 1982, Fry, 1984, and Thorpe and Brown, 1985).
- 5 Record the structural characteristics-descriptions and measurements (for details see following chapters).
- 6 Sketch the outcrop and structural relationships.
- 7 Record the collection of samples and the photographs taken.
- 8 Interpret the outcrop in terms of the regional setting and draw<br>sketches of the structural the structural relationships.

#### *2.5.1 Examples of field notebooks*

Examples of field notebooks are shown in Figs. 2.19 and 2.20. Fig. 2.19 shows the information collected at one small outcrop in the course of a regional mapping programme, whereas Fig. 2.20 shows the information gathered during a detailed analysis of an outcrop that exhibits polyphase deformation. In the latter case, a large amount of descriptive and orientation data has been collected. In both examples, more than one reading for each structural element has been taken. An average or representative reading for each structural element is then plotted on the field map. Note that your field notebook should always contain much more structural data than can be plotted on the field map.

Fig. 2.19 Example of a field notebook showing data collected at a small outcrop during the course of a regional mapping programme.

> $17/8/83$  10.30am  $OutcroD$   $R3-108$ Tom Valley: MacMillan Pass: Yukan Elevation: 1565m. Creek Traverse SE of Mine Small outcrop of Lammated Black Angillites (10830m)



Weil 38. Silver Grey Weathering Black Angillites - Lamingted Some this blue-black cherty beds  $2 - 10$  cans thick No visible sedimentary structures tenetrative Cleavage Writermly Dipping So. Well developed Bedding Cleance Int. STRUCTURAL DATA

 $52 - 9120$ 

 $80 - 3096$ 

 $80 - 085$ 

Bedding  $S_6$   $50^\circ \rightarrow 110$  $48 \rightarrow 117$ event of S. I.C. Relationships

 $(Tilted be shown L, )$ Clearage  $S_1$  75 - 086 Uniformly East Dipping  $Bedding$ Anticlinal Hime Bedding Clearage Intersection to west.  $30^{\circ}$  > 170 L, 31 -> 168  $\Lambda_{\rm eff}$ 

 $83 - 108$  $OUTCRO$ Silver-Grey Arnillite LOCATION SKETCH Seree

 $S$ INTERPRETATION TOM ANTICLINE REGIONAL STRUCTURE



Fig 2.20 (pp. 37-40) Pages from a field notebook showing data collected during detailed structural observations in a complex polyphase terrane. Key outcrops must be examined in detail in order to determine the structural history. In this case an hour was spent examining the large outcrop, sketching the structural relationships and taking several measurements of each structural feature. The following pages outline the methodology used: 1 Identify and describe the lithologies. 2 Identify and describe the structures. 3 Measurements of planar structures  $S_0$ ,  $S_1$ ,  $S_2$ ,  $S_3$ , 4 Measurements of the lineations  $L_1$ ,  $L_2$ ,  $L_3$ , etc. 5 Measurement of minor fold axes and axial surfaces. 6 Detailed sketches of structural relationships.

RMOSCOLN  $olc$  No  $F$ ANGLESEY  $9 - 11 - 84$ Coastal outcrop in 30m high racky cliffs. Location: Pelite Unit with thin (<1cm -3cm) psannite Lithology: interbeds, Green; Buff Weathering Strongly folded into kink like folds. Fine-grained Pelites Chloritic: Contain, abundant folded quart, Veinc

 $\overline{1}$ 

Thickness: 15 m thick sendwiched between two massive guartyite units. Sheet Dip towards 120° ~ 25° \*

Structure: So Bedding: - Fouturall and Hangingwall Massive quartite units thickly bedded. No observed sedimentary ctructures

Pelite unit contains this disripted psammite beds - lenticular which are transposed into S, Folictions: Cleavage (5,?) This failurion strongly folded into kicklike folds with pressure solution axid planar folice (52). Lenticular quartz scris parallel to 5, and folded by kinh-like folds

Structural Data: Bedding So Footwall Qutzites  $50 + 2^{\circ} \rightarrow 11$  $50\frac{44}{9}$   $\rightarrow 118$ <sup>a</sup>  $50\,h^{-1}$ Note. This is a sheet dip (constigging surface) in this with

1 Outcrop location and description and identification of the lithologies. In this outcrop two contrasting lithologies occur - massive quartzites and highly contorted pelitic units. Record the observations of structural features and measurements of the sheet dip of the bedding (Fig. 3.1).

 $\overline{z}$ ok I7 continued RHOSCOLYN  $9|11|84$  $0/c$   $N3$   $17$  continued **STRUCTURAL DATA** CONTO' Foliations: S, in Pelitic Unit 5, 77°→325° 5, 68 →338° 7 Note: here 5,<br>5, 70° →354° 5, 72 →343° 5 Sub-11 to 52 Foliations: Footwall Quartites: Well developed penetrative  $S<sub>ferm</sub>$ 5 foication - slightly anastomosing on bedding surface  $Linob$  $61^\circ$  > 337° Note: anastomosing character may be  $S_{2}$ Foliation: Pressure solution style cleanage on limbs of  $S_2$  67° 7343° due to weak development of S, Fo creation and kink folds:  $68^{\circ}$   $\rightarrow$   $742^{\circ}$   $\rightarrow$   $\sim$   $\sim$   $\sim$   $\sim$  $S_{2}$  $5.60^{0} - 3358^{0}$  $5, 50^{\circ}$  358°  $52:50^{\circ} \rightarrow 004^{\circ}$  $S_2$   $68^{\circ}$   $342^{\circ}$  $52:55^0 - 3357$  $S_2$ : 60°  $\Rightarrow 350^\circ$   $S_2$ : 68°  $\Rightarrow 348^\circ$ Bedding / Clearage Relationships 52 Pressure Solution Fabric VEAGENCE - SE.  $L^2$   $25^{\circ}$   $\rightarrow$   $60^{\circ}$  $F_{n}$ Quartaite Bed in Footwall ofc 17 KINK FOLDS  $92757$  $50$ <br>44° → 124 LIMB VERGING SE Foliations: Pelite Unit: Two well developed foliations Lenticular S, both of which are refolded by kink bord structures  $F1aF$  Linh Flat Limb S, Foliation: Lenticular thin beds of impure sandstone in  $\frac{2}{50}$ (tentative identification) pelitic matrix Transposition foliotion (Photographs) SZINKINK BAND Well developed on flat limbs of kink fullo (on  $F_3$  Reverse Kink  $76^\circ \rightarrow 153^\circ$  $F_2$  $AP$ steep limbs becomes transposedints of fabric SE F2 Reverse Kink 59° ->142°  $F, AP$ Abundant lenticolar (now folded) quartz veris parallel to S, fabric  $Flat \supset S_1 : 31^{\circ} \rightarrow 024^{\circ}$   $S_1 : 30^{\circ} \rightarrow 044$ Limb  $5$  5, : 33°  $\rightarrow$  054° (Note: Variable  $5$ , cn  $F_3$  fuld  $F_6$ ) Reverse Kink Band Fig. 2.20a (continued) 3 Description and record of orientation data for the  $S_2$  foliation in the Fig. 2.20a (continued) 2 Description and record of the orientation data for the S<sub>2</sub> foliation and

the  $L^2$ <sub>0</sub> lineation in the quartzite unit. Description and record of the orientations of the S<sub>1</sub> foliation in the pelitic horizons.

pelitic units. Sketches and descriptions of the F<sub>3</sub> kink bands and the S<sub>3</sub> foliation surface. The sketches of outcrops show both their geographic orientation and vergence. (Note that space does not permit examples of lineation measurements to be included in this figure.)

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Fig.2.20a (continued) 4 Detailed field sketch showing the structural relationships in the outerop described in the previous pages.





Fig. 2.20b Field map entry for the outcrop described in (a) above. Note that only representative structural data and the overall sheet dip have been plotted.

### 2.6 Map symbols

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Map symbols must be clear and unambiguous. For most map areas, representative data of all structural elements should be plotted at each locality on the field map, with the possible exception of joints or veins. Unless required, the plotting of joints may serve no useful purpose and will only clutter the map. Various coloured inks may be used to indicate different geological fea·  $t$ ures-e.g. bedding or lithological features- black; structural features-red; outcrop boundariesblue or green; geomorphological features (including alluvium and drift)-brown. Unfortunately, coloured inks do not reproduce well and black ink may be preferred for all symbols.

*Remember, geological data from outcrops should always be plotted in pref* $e$ rence to geomorphological features.

#### *Plolting symbo/s*

The following are emphasised: 1 'On the map symbols should be plotted directly at the map location for the outcrop from which the measurements were taken, and *no/*  left 'floating' in areas of the map where no exposure is recorded.

2 The azimuths of all orientation data should also be plotted on the field map, together with dip and plunge data (Fig. 2.16). This enables the accuracy of the data to be checked and allows data to be extracted from the map for further analysis.

3 Data should be plotted on the map either using a protractor or using the Silva compass directly (Barnes, 1981, p. 60).

#### *4 Plotting should always be done in the field.*

Table 2.1 gives a list of suggested map symbols that can be used in the field.

#### 2.7 Oriented samples

It may be necessary to collect ori· ented samples for *(a)* the analysis of preferred orientations,  $(b)$  the investigation of the superposition of foli~ ations or *(c)* the investigation of relationships between metamorphic mineral growth and tectonic fabrics, or (d) strain determinations (Appen- $\rm{dix}$   $\rm{III}$ ).

#### 2.7.1 *Sample collection*

- 1 Select the sample to be collected (pieces bounded by joint surfaces are the easiest to collect and arc less likely to break upon extrae· tion).
- 2 Measure and record the struc· tural elements associated with the sample and the outcrop.
- 3 Select an appropriate reference plane on the surface of the sam· ple - this will generally be either bedding  $(S_0)$ , a foliation surface  $(S<sub>1</sub>)$ , as shown in Fig. 2.21, or a joint surface.

#### Table 2.1



- Measure the orientation of this surface, and with a waterproof marking pen inscribe the strike and dip on the reference surface, (Fig. 2.21). Mark on the top of the specimen and the specimen number. Record the data in your notebook and draw a sketch of the specimen and its structural relationships.
- Collect the specimen and bag it,  $\overline{5}$ fully labelling the sample bag.



Fig. 2.21 Collection of an oriented specimen. Reference marks on the specimen indicate the way-up and the strike and dip of the reference surface.

#### 2.8 Photography

Photography is an important method of recording geological information. However, it is no substitute for good, detailed field sketches. It is often very difficult to distinguish or interpret structures from a photograph without a good field sketch. The following points are therefore emphasised.

- 1 A good 35 mm camera (preferably a single lens reflex) is essential. Colour slide film (easily projected to a large size) or black and white film (easily enlarged) are preferred. Close-up lenses or attachments may be useful.
- $\overline{2}$ Always draw a sketch of the area or structure being photographed (e.g. Fig. 2.22).
- $\overline{\mathbf{3}}$ Record the information about the photograph in your field notebook, in particular noting the direction of view.
- Where possible always include an  $\Delta$ easily recognised scale in the photograph.
- Fill the frame with the structure  $\overline{5}$ being photographed. Many students do not get close enough to the subject and all detail is lost in the photograph.
- In some instances stereoscopic photographs may be taken to aid later interpretation. In this case two photographs are taken approximately 1.5m apart in a line parallel to the exposure being photographed. Sixty per cent

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overlap is required and the resultant pair of photographs can be viewed stereoscopically for analysis. This technique is particularly useful for fracture studies.







Here, attention is focused upon fold geometries, nomenclature, description and measurement. Correct description and measurements of folded surfaces gives valuable information on the geometry and mechanics of folding.

#### **3.1 Basic fold nomenclature**

Basic fold nomenclature is outlined in Fig. 3.1. Care must bc taken to distinguish terms which describe the orientation of the folded surface (e.g. hinge line) from those which describe aspects of its spatial orientation (e.g. fold crest line). The following arc emphasised:

- 1 The fold *hinge line or fold axis* is the line of maximum curvature on the folded surface (Pig. 3.1a).
- The fold *axial plane* is the plane containing the hinge lines within one particular fold (Fig. 3.1a) (Note: many fold axial planes arc *curved* (e.g. Fig. 2.22) not *planar*, and the term *axial surface* is preferable.)
- 3 A fold is *symmetric* if the limbs either side of the axial plane are of equal length, and the fold is *asymmetric* if they are not. (Fig.  $3.1 b$ ).
- 4 The fold *wavelength* is the distance

## 3 *Fold structures*

between adjacent hinge lines or inflexion points (Fig. 3.1b).

- 5 A fold is *cylindrical* if it has the same shape in the profile plane at all points along the fold axis (Fig. 3.1b). A *non-cylindrical fold* has a varying profile shape along the fold axis (Section 3.2.2 and Fig. 3.7).
- 6 A *fold train* is a series of folds within a particular unit or series of units  $(Fig. 3.1b)$ .
- 7 The concept of *enveloping surface*  for a series of folds (such as Fig. 3.1 b) is extremely important. The enveloping surface is drawn tangential to , the fold hinges (or through the inflexion points) (Fig. 3.1b). This is particularly important when mapping areas with abundant small amplitude, short wavelength folds which obscure the overall *sbeet dip* (i.e. enveloping surface) of a unit.

#### **3.2 Fold types**

Most texts on structural geology describe fold types in detail (e.g. Ramsay, 1967; Hobbs *et al.,* 1976). Here we are concerned with the description of folds as seen in the profile section (i.e. the section perpendicular to the fold axis (Fig. 3.2).



Fig. 3.1 Basic fold nomenclature and fold architecture. (a) A single inclined fold pair showing basic nomenclature. (b) A fold train consisting of upright folds that pass into inclined and then recumbent folds. Note the concept of the enveloping surface, which is either tangential to the fold hinge lines, or passes through the inflexion points (points of maximum slope) on the folded layers.



#### **Regional Tectonic Axes**

Fig. 3.2 Fold architecture showing the profile plane; fold axial plane and relationship of both to the regional tectonic axes: 'a<sub>1</sub>' indicates the direction of tectonic transport, 'b<sub>1</sub>' is parallel to the fold axis, 'c<sub>1</sub>' is normal to  $a_1$  and  $b_1$ ; and the stereographic projection of data from the fold. Note the use of poles to bedding to determine the fold axis b<sub>1</sub>.

Common types of fold (as described in the profile plane) are:

1 Parallel folds (Fig.  $3.3a)$ Orthogonal thickness  $(i.e.$ thickness perpendicular to the folded surface) is constant.



Fig. 3.3a Parallel folds. Folded quartzo-feldspathic layer in amphibolites. Field of view ca.  $2.5m$ 

2 Similar folds (Fig. 3.3b). Thickness parallel to the axial plane is constant.



Fig. 3.3b Similar folds (thickness parallel to the axial plane is constant) in deformed psammitic schists. Note that these folds are also harmonic in that there is continuity along the axial planes.

- 3 Harmonic folds (Fig. 3.3b). Axial planes are continuous across a number of layers.
- Disharmonic folds (Fig. 3.3c).  $\overline{4}$ Axial planes are not continuous from one layer to the next.



Fig. 3.3c Disharmonic folds of sphalerite layers in galena. There is no continuity along the axial planes between layers. Field of view ca.  $1<sub>m</sub>$ .

5 Intrafolial folds (Fig. 3.3d). Folds contained within the layering or foliation.



Fig. 3.3d Intrafolial isoclinal fold of a quartzo-feldspathic layer in gneisses. The fold is contained within the geneissic foliation. stered.

- 6 *Ptygmatic* or elastica folds (Fig. 3.3c). Tight folds in which the fold limbs fold back on themselves so that the angle between the fold limbs at the hinge of the fold has a negative value.  $\mathcal{L}_{\mathcal{L}}$
- 7 *Chevron* folds (Fig. 3.3f). Angular folds with planar limbs and sharp hinges.
- 8 *lIoclinal* folds (Fig. 3.3d). Folds in which the limbs are strictly *parallel.*



Fig. 3.3e Ptygmatic folds in a deformed pegmatitic vein in gneisses.

- *9 Polyclinal* folds (Fig. 3.3g). Folds with more than one axial plane. e.g. box folds or conjugate kink bands.
- 10 *Kink bands* (Fig. 3.3h). Sharp angular folds bounded by planar surfaces.



Fig. 3.3g Polyclinal fold in deformed mylonites and showing several axial planes.



Fig. 3.3f Chevron folds in deformed turbidites. Note the sharp hinges and planar limbs of the folds. Field of view ca. 15 m.



Fig. 3.3h Asymmetric reverse kink bands in a deformed schist.

## 3.3 Analysis and classification of folds

Folds are classified by:

- The attitude of their hinge lines.
- 2 The attitude of their axial surfaces.
- 3 Their interlimb angles.
- 4 Their symmetry-i.e. length ratios of fold limbs.
- 5 Shapes of the folded layers.
- 6 Their degree of cylindricity.

3.3.1 Two dimensional classification *methods* 

*Tightness of folds:* The *inter/imb angle*  measured between *inflexion points*  (Fig. 3. 1) can be used to measure the tightness of folds (Table 3.1).

*Orientation of Folds.* The orientation of a fold is completely defined hy the direction of closure and the attitudes of the hinge line (i.e. fold axis) and hinge surface (i.e. axial plane). This classification nomenclature is outlined in Table 3.2.

Table 3.1 Terms used to describe the tightness of folds



#### Table 3.2 Terms describing the attitude of folds



Note: Two attitudes are used to describe the orientation of a fold,  $(a)$ the *plunge* of the *hinge-line* or *fold axis*  and (b) the *dip* of the *axial plane.* Both are required to correctly describe the fold attitude.

*Sbape of Folds:* Folds may be classified according to the shape either of individual surfaces or of folded layers. *(a) Dip isogons* The shape of the folded layers is the feature most usually recorded and is quantified by the use of dip isogons. First find a profile plane through a fold, then draw lines which join points of equal dip through the stack of folded layers. The reference datum is the tangent which passes through the hinge point of the folded surface. Three basic classes of dip isogon patterns are found (Fig.  $3.4$ );

Class 1 folds: Folds with convergent dip isogons.

Class 2 folds: Folds with parallel dip isogons: similar folds.

Class 3 folds: Folds with divergent dip isogons.

Note: Convergence and divergence arc measured going from the outer arc to the inner arc of the fold. Dip isogons may be used to construct cross-sections and are particularly useful in metamorphic terranes where bedding thicknesses change around a fold.

*(b) Fourier or barmonic ana{ysis* The description of fold shapes may be

 $f$ <sub>further</sub> quantified by considering the harmonic waveforms, which when combined, form the fold shape. This technique was devised by Huddleston (1973) and a simplified version may be applied by visual inspection using the chart of 30 idealised fold shapes shown in Fig. 3.5. Six basic fold shapes are recognised: *A-Box folds, B-Curved double hinged folds, C-Semi-ellipses, D-Parabolas, E-Semi-cbevron* and F-*Chevron folds.* This chart (Fig. 3.5) is also graduated in amplitudes from 1  $\frac{1}{10}$  5 and hence can be used in the field to classify folded surfaces.

*3.3.2 Three-dimensional classification methods* 

A different classification to that described for 2D shapes is required when folds vary in character along their length, i.e. when their shape as seen in the profile plane changes along the hinge of the fold. Williams and Chapman (1979) have constructed a simple classification diagram for folds, based upon the measurement of interlimb angle  $\alpha$ . the angle made by the curving hinge line  $\beta$ , and the angle made by the

FOLD SHAPE

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Fig. 3.5 Visual harmonic analysis. Field chart for Fourier shape classification of folds. The fold amplitude is measured on a scale  $1-5$ ; the fold shape is measured in columns A to F.  $A = h\alpha x$  *folds*,  $B$ = *intermediate* between *box folds* and *semi-ellipses*, *C* = *semi-ellipses*, *D* = *parabolas*, *E* = *intermediate* between *sine waves* and *chevron bolds*. F = *chevron folds*. (reproduced with permission from Huddleston, 1973).



Fig. 3.4 Dip isogon technique used to classify folds. Dip isogons are drawn at 30° intervals and join points of equal dip on the upper and lower fold surfaces. Tangents used in the construction are shown on the first fold.

curving fold axial surface  $\gamma$  (Fig 3.6). The triangular PQR diagram has planes, cylindrical isoclines and isoclinal domes at its corners (Fig. 3.7). This classification may be used in the field.

#### **3.4 Symmetries of parasitic minor folds**

Fold symmetry is characterised by considering the relative lengths and attitudes of the  $long - short - long$ 



Fig. 3.6 Geometric description of non-cylindrical folds. (a)  $\alpha$  = the interlimb angle,  $\beta$  = hinge angle,  $(b)$   $\gamma$  = hinge line surface angle. (reproduced with permission from Williams and Chapman, 1979).



Fig. 3.7 Non-cylindrical fold shapes plotted on a PQR diagram. (a) Diagrammatic representation of fold shapes. (b) Descriptive terminology (reproduced with permission from Williams and Chapman, 1979).

limbs of a minor fold (Fig. 3.8a). Z,  $\varsigma$  and M symmetry minor folds can he identified (Fig. 3.8a). M folds have fold limbs of equal length, and hence have no asymmetry.

 $Fold$  symmetry is always determined *b looking* down *the plunge of the minor* fold. (Note that a minor fold with Z asymmetry looking down plunge would have an S sense of asymmetry when viewed up plunge: so, always look down plunge.)

In a large fold structure the sense of asymmetry of minor parasitic folds will vary systematically around the structure and as such can be used to determine the position of an



Fig. 3.8 Parasitic minor folds *(a)* Z, S. and M symmetry minor folds as viewed looking down the fold plunge;  $(b)$  Symmetry of parasitic minor folds around major fold structures;  $(c)$  Map symbols for minor folds and their symmetry.

outcrop within the larger fold structure (Fig. 3.8b). S and Z folds are found on the limbs of major folds, whereas M folds indicate the hinge region of a large fold structure (Pig. 3.Sb). Systematic determination and recording of minor fold asymmetries is a powerful tool for identifying major fold structures and should always be carried out during the course of your mapping programme. Minor fold symmetries must always be plotted on your map (Fig. 3.8c).

#### 3.5 Vergence

*Vergence* is a tcrm used to indicate the direction of movement and rotation that occurred during deformation. The concept of vergence may be applied to asymmetric folds and to the relationship of one cleavage to another, although this is a complex procedure and is not described in this Handbook (for details see Bell, 1981). Vergencc is extremely useful in complex deformed terranes, and you should always attempt to evaluate vergence relationships when mapping.

#### *3.5.1 Fold vergence*

Vergence of *asymmetric* folds is defined as the horizontal direction of movement of the *upper* component of a fold (measured in the profile plane, e.g. Fig. 3.9). Minor folds of Sand Z asymmetry may have the same vergence, M folds in the hinge region of a major fold have neutral



Fig. 3.9 Definition of fold vergence (reproduced with permission from Bell, 1981). For examples, see Figs. 2.20 and 2.22.



vergence, and vertically plunging folds have either sinistral or dextral vergence (Fig. 3.10). The principal use of minor fold vergence is to locate major fold axial surfaces. In simple geometries, minor folds change vergence across major fold surfaces (Fig. 3.11).

 $\times$ ,<br>, (a) plunge East  $\frac{D}{\gamma}$ plunge West -- North South  $\begin{array}{c} \begin{array}{c} \begin{array}{c} \gamma \\ \gamma \end{array} \\ \begin{array}{c} \gamma \end{array} \\ \begin{array}{c} \gamma \end{array} \\ \begin{array}{c} \end{array} \end{array} \end{array}$  $4F$ (b)

I





 $Fi\sigma$ . 3.11 Example illustrating the use of  $vergence$  to determine the  $F_1$  hinge and axial plane of a refolded fold.

#### 3.6 **Strain in folds**

Within a folded layer, a wide variety of strain states can be found (Fig. 3.12). Most folds that develop by buckling of a competent layer have extensional strains on the outer arc and contractional strains on the inner arc. A plane of no strain *(finite neutral surface - Fig.* 3.l2a) exists within the folded layer, but this moves down *toward the inner arc* of the fold as it tightens. In the field the extensional strains produce dilatant fractures and veins (see Chapter 7) and cleavages are produced in areas of contractional strains. Flexural slip folds (parallel folds produced by slip of layers over each other, Fig. 3.12b) are characterised by little internal deformation of the layers on the fold limbs, buckling strains (as in Pig.  $3.12a$ ) in the hinges, and welldeveloped slickensides (Fig. 5.4) between competent layers in the fold (Pig. 3.l2b). Many folds may have flattening strains superposed upon

them (Fig. 3.12c) to produce a near similar fold style. These flattening strains are commonly reflected in the development of well-developed axial-planar cleavages (see Chapter 4).







 $(b)$ 

Fig. 3.12 Strain states in folded layers: (a) buckle fold produced by bending the layer (i.e. a parallel fold with the thickness perpendicular to the layer remaining constant) and with the development of extensional strains on the outer arc of the fold, a finite neutral surface of no finite strain (note that this will move downwards in the layer as the fold tightens), and contractional strains on the inner arc of the fold;  $(b)$  flexural slip fold where the folded layers slip past cach other (parallel fold).  $(c)$  a flattened buckle fold which approaches similar style geometry (thickness parallel to the axial plane is constant).

#### 3.7 Folds associated with faults

3.8 Kink bands

Many folds are geometrically related to faults. In general, these are passive folds whose geometry is controlled by the fault geometry: these can occur at all scales.

'In contractional fault systems, steps in the fault plane require geometrically necessary folds to develop in the hanging-wall plate as it moves over the step (Fig. 3.13a). Kink-like and box-fold geometries result. Similarly, in extensional fault systems geometrically necessary folds are generated above changes in fault plane geometry (Fig. 3.13b). Thus, in fault terranes we must expect geometrically necessary folds to be generated wherever there are *changes in dip of the fault plane.* Fault-related folds are further discussed in Chapter 6.





Fig. 3.13 Geometrically necessary folds generated by changes in dip of fault planes:  $(a)$ 'snake's head' geometry of kink folded strata over a flat-ramp-flat thrust fault geometry;  $(b)$  'roll-over anticline' fold developed in the hanging-wall above a listric extensional fault.

#### Typical examples of kink bands are illustrated in Figs. 3.14 and 3.15. They generally only occur in *strongly foliated anisotropic rocks (i.e. they are* often second or later generation structures developed after a first pen. etrative cleavage has been formed) and may occur singly or in conjugate

pairs. If the latter occurs they may then be used to determine palaeo. stress orientations (dynamic analysis; sec below).

Two forms of kink bands are found-

- 1 Normal kink bands (Fig. 3.14a) in which there is a volume *decrease* in the kink hand.
- 2 Reverse kink bands (Fig. 3.14b) in which there is a volume *increase*  in the kink band.



Fig. 3.14 Kink band nomenclature:  $(a)$  normal kink: note the volume decrease in the kink band;  $(b)$  reverse kink: note the volume increase in the kink band.

An example of reverse kink bands is shown in Fig. 3.15a. Where the kink bands occupy the total rock volume i.e. at high strains, then the kink axial planes tend to become parallel to the bulk flattening plane (Fig. 3.1Sb).

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Fig. 3.15a Inclined conjugate reverse kink hands in deformed schists. The maximum compressive stress  $\sigma_1$  is horizontal.



Fig.3.1Sb Polyclinal kink bands in strongly deformed psammites, Note the upright kink bands in the central part of the photograph.

#### *Stress analysis using kink bands*

Conjugate kink bands may be used to calculate the orientation of principal

stresses  $-(\sigma_1$  maximum principal stress,  $\sigma_2$  intermediate principal stress and  $\sigma_3$  least principal stress).  $\sigma_1$  bisects the *obtuse* angle between kink band boundaries (axial planes).  $\sigma_2$  is parallel to the line of intersection of conjugate kink band arrays and  $\sigma_3$ bisects the *acute* angle between kink band boundaries. What to measure in kink hands is outlined in Table 3.3 (p. 58).

#### 3.9 Mapping of folds

When mapping folded rocks it is important to decide what fold Structures can be represented on the map and what structures should be represented as minor structures. (Tn the latter case *detailed sketches and sketch maps* are required to illustrate the significance of minor structures at the outcrop scale: Fig. 2.20a.)

#### 3.9.1 At the outcrop scale

For folds which are found in an individual outcrop or group of outcrops and are too small to plot in detail on your map the following procedure should be adopted:

1 Describe and classify the style of folding (e.g. chevron folding; parallel folding; similar style  $folding$  (Figs.  $3.3$  and  $3.4$ )). Always analyse folds in the profile section looking down the plunge of the fold axis-where possible photographs and sketches should always be made looking down the fold plunge.



of complex small scale folds. Measure bedding around the fold-this will allow better definition of the fold axis by plotting this data on the stereographic projection.

- 4 Determine the relationships and 2 measure the orientations of cleavages and lineations in the folds (see Chapters 4 and 5 for details).
- 5 Determine the asymmetry and vergence of the folds (Figs. 3.8, 3.9 and 3.10). Measure the direction of vergence.
- 6 Plot on your map *(d) the trend, plunge and asymmetry (vergence) of the minor fold-or mean trend and* 3  $plunge$  *from a group of minor folds (Tab?e* 2. 1); *(b) the orientation and dip of the fold axial-surface* (Table *2.1); (c) lhe sheet dip of the bedding in the folded outcrop*, (d) the orientations of cleavage and lineations *developed* in the fold.

Note that your notebook should contain much more structural data than can be plotted at one outcrop on your map. 5

7 *Check that your notebook* contains the appropriate sketches and structural data to fully analyse the fold or folds.

#### 3.9.2 On the map

To accurately represent fold structures on your map (e.g. Fig.  $3.16$ ) you should endeavour to complete the following steps.

1 Define the fold by mapping sufficient outcrops so that the fold is outlined by  $(a)$  bedding

form lines,  $(b)$  the distribution of lithological units,  $(c)$  the distribution of *sheet dip form* lines (cf. Fig. 3.1b). (Note: this is import. ant in areas with abundant small\_ scale folds.)

- Attempt to identify the hinge region of the fold  $-e.g.$ exposure 8 in Pig. 3.16. Note that in the hinge region of a fold with an axial-planar cleavage, the bedding and cleavage are almost at right angles, whereas on the fold limbs the cleavage is at a lower angle to bedding (see Chapter 4).
- Map the cleavage/bedding relationships (i.e. cleavage vergence) around the fold.
- Measure the orientation and asymmetry of small-scale folds around the large fold (Fig. 2.20a). This, together with location of the hinge region and bedding/cleavage relationships, will allow the position of the *trare*  of the axial plane to be determined (Fig. 3.16).
- Measure sufficient structural data from around the fold, to permit the following constructions on a stereographic net (Fig. 3.16):

 $(a)$  Define the great circle of poles to bedding (assuming cylindrical folding). For this a minimum of 15-20 good readings ate recommended. This will allow the major fold axis to be defined (Pig. 3.16). (This means that you should always take more readings than can be plotted on the map.) In areas of tight to isoclinal folding, data must be collected from the hinge region in order to define the great circle  $\sigma$ irdle on the projection.

 $\begin{array}{cc} b \\ (b) \end{array}$  Measure the cleavage throughout the fold (Fig.  $3.16$ ). The mean cleavage plane will approximate to the fold axial plane. (A minimum of 20 readings are recommended for this.) *(c)* Measure the bedding/cleavage intersection and minor folds around the fold hinge (Fig. 3. 16). These should be approximately parallel to the major fold axis (a minimum of 20 readings are recommended).

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Identify and classify the style of folding in the map area (e.g. parallel folding generated by flexural slip; chevron folding; or similar style folding - Figs. 3.3 and 3.4), particularly by observing minor and mesoscale folds in outcrop. The outcrop pattern on your map and your cross-section (see  $9.2$ ) must reflect the style of folding.

Representation of a large fold on your map should always be supplemented by a sketch cross-section showing structural relationships.

Table 3.4 summarises the data to be collected when mapping folds.

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 $\mathcal{E}$ Table 3.4 Data to be collected from observations when mapping folds from a single phase of deformation.





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Interlimb angle. (Table 3.1)

Limb lengths. Strain of deformed objects around the folded layer(s) (Fig. 3.12).

(Figs 7.1 and 7.6)

Nature of limbs-planarcurved. (Fig. 3.3)

Asymmetry. (Fig. 3.8) Nature of strain in deformed objects. (Appendix III)

Shortening across fold, (chevron folds).

Quamification of asymmetry. Strain distribution, mechanisms of folding. (Fig. 3.12)
# 4 *Foliations*

Foliation is a planar rock fabric. In this Handbook we are concerned with tectonic foliations that are usually produced hy deformation and teerystallisation of the mineral grains within the rock to produce a preferred orientation (as opposed to bedding-parallel fabrics induced by compaction during burial). Most foliations (with the exception of fracture cleavages) are penetrative on a mesoscopic scale, i.e. they penetrate the whole rock, unlike joints or fractures, which have little or no effect on the rock mass away from the fracture zone.

Planar surfaces in a rock mass are designated 'S' surfaces (excluding joints and fractures). Bedding is 'S<sub>o</sub>'; the first cleavage is ' $S_1$ '; the second cleavage is  ${}^{6}S_{2}$  and so on (see mapping symbols, Section 2.6). The subscripts indicate the relative chronology of the surface. Rocks with strong planar tectonic fabrics are termed 'S *tectonites'*.

## 4.1 Common foliations

The type of tectonic foliation developed in a rock will be strongly dependent upon the conditions of deformation (temperature, confining pressure, differential stress and strain rate) and upon its composition. Rocks which have abundant platy minerals (clays and micas) will tend to develop penetrative foliations that give a strong directional parting or *fissility* to the rock, whereas nonplaty monomineralic rocks such as limestones or quartzites will tend to develop spaced cleavages (visible dis· crete foliation planes) or grain shape fabrics (see Fry, 1984). Listed bclow are the more common types of foliations found in rocks.

## *In non-metamorphosed to low-grade metamorphic rocks:*

- 1 Slaty cleavage: Penetrative foliation occurring in fine-grained incompetent units e.g. mud rocks and imparting a strong fissility to the rock-in the hand specimen no visible minerals or segregations of minerals to be seen in the plane of cleavage (fig. 4.1a).
- 2 *Crenulation cleavage*: Foliation produced by microfolding (crenulation folding) *of a pre* $existing$  *foliation* - commonly associated with a segregation of minerals which can be seen as bands in the plane of cleavage (Fig. 4.1b). May be penetrative



Fig. 4.1a Penetrative slaty cleavage in mudstones showing a well-defined fissility.



Fig. 4.1b Crenulation cleavage (parallel to penknife) formed by microfolding of rhinly interbedded psammites (sandy units) and pelites (originally muddy units). The limbs of the erenulation microfolds in the psammitic layers are disrupted and show partial dissolution fea· tures (pressure solution) that result in a prcf· crential concentration of phyllosilicates in bands that define the crcnulation cleavage planes.

in fine-grained rocks. Common in slates, phyllites and schists (see Fey 1984).

3 *Fracture cleavage:* A non-penetrative foliation consisting of persistent, closely-spaced frac-



Fig. 4.1c Well·developed fracture cleavage consisting of a closely-spaced array of vertical fractures in sandstones.



Fig.4.1d Pressure·solution cleavage showing disruption of the light-coloured psammitic layers by dark pressure-solution seams.

- tures (Fig. 4.1c). May occur in sandstones, massive limestones and in igneous rocks.
- *Pressure-solution cleavage:* A *spaced cleavage* which produces a mineral segregation (often associated with microfolding) and dark seams of insoluble material that impart a prominent striping to the rock (Fig.  $4.1d$ ).

## *In higher grade metamorphic rocks:*

- 5 *Schistosity:* A penetrative/nonpenetrarive foliation with visible phyllosilicates and mineral segregation into bands parallel with the foliation (Fig. 4.2a). (Note that schistosity is commonly parallel with bedding.) Schistosity is often folded by later crenulation cleavages.
- 6 *Gneissic foliation:* A foliation in coarse-grained rocks, consisting of impersistent laminae and segregations of mineral grains (Fig. 4.2b). (Note that the gneissic foliation is often parallel-sub-parallel with the lithological banding.)
- 7 *Mylonitic foliation:* A penetrative foliation developed in zones of high shear strain such as faults and shear zones. *It* is characterised by tectonic reduction in grain size (Fig.  $4.2c$ ) - often resulting in extremely finegrained, almost slaty rocks.



Fig. 4.2a Schistosity showing segregation into phyllosilicate layers and quartzo-feldspathic layers.



Fig. 4.2b Gneissic foliation showing the crude banding of quartzo-feldspathic and of mafic segregations.



Fig. 4.2c Mylonitic foliation in a strongly sheared granite showing a well-developed planar fabric with deformed feldspar porphyroclasts in a matrix of fine-grained streaked out quartz and feldspar.

## 4.2 Axial-planar foliations

In most cases foliations are approximately axial planar to the folds of the deformation phase which produced the foliation. This general relationship is shown in Figs. 4.3a and b. The foliation plane approximates to the plane of finite flattening (XY plane of the strain ellipsoid) for the deformation that produced the foliation (Fig. 4.3a). This is a general rule that can be applied to folded sequences, but it breaks down within shear zones where the foliation plane is not parallel to the finite flattening plane outside the shear zone.



Fig. 4.3a Axial-planar cleavage in folded silt-Stones.



Fig. 4.3b Fanning axial-planar foliation around a folded layer. The intersection lineation L<sub>1</sub> is parallel to the major fold axis. The stercographic projection shows the plot of poles to bcdding (solid circles), poles to cleavage planes' (crosses) and  $L_1$  lineations (open circles). The maior fold axis (triangle) is defined by the pole to the bedding great circle.

## *4.2.1 Fanning and refracted foliations*

In most cases the cleavage, e.g. slaty cleavage, is not strictly axial planar to the fold, but in fact, fans around the fold (Fig. 4.3b). This arises from the difference in competence or stiffness of the beds that are undergoing folding. In the case of interbedded pelites (fine-g rained mud rocks) and psammites (coarser-grained sandy rocks) (Fig. 4.4a), on the fold limbs the cleavage is at a low angle to bedding in the slaty lithologies but refracts to a high angle to bedding in the sandstones. This zig-zag cleavage refraction reveals important differences in lithological compositions, e.g. the cleavage plane curves toward parallelism with the top of a graded bedding unit, and as such, can be used to determine way-up (Fig. 4.4a).

,



Fig. 4.4a Refraction of cleavage around folded layers of different competencies. Note the characteristic flattening of the cleavage in the more pelitic layers and the higher angle between cleavage and bedding in the more competent sandy layers. Tn normally graded beds this distinctive pattern of cleavage flattening upwards may be used to determine way-up.

An example of cleavage refraction is shown in Fig. 4.4b.

Fanning cleavage is designated as occurring in either convergent or divergent cleavage fans (Fig. 4.4a). In strongly contrasting lithologies, e.g. slate and sandstone (Fig. 4.4a), 'anomalous' cleavage orientations are found in the hinge region of folds; in particular, an area of no 'cleavage occurs at the *finite neutral point* (Fig. 4.4a). This cleavage pattern is found in the less competent units, e.g. slates, and arises from the finite strain patterns around the fold hinge zone.



Pig.4Ab Cleavage refraction in interhedded sandstones and shales.

## 4.3 Foliations and folds

The relationship between foliation and folds is extremely useful in determining the presence and location of major fold structures. Fig. 4.5 shows how the antiform hinge is located. Note that in the overturned limb the bedding is steeper than cleavage and vice versa in the non-inverted limb. There is a near orthogonal relationship between bedding and cleavage: in the fold hinge region. Cleavage bedding relationships tell you the *structural* way-up. Younging evidence (e.g. Figs. 1.1 and 4.4a) from sedimentary structures is needed to tell the *stratigraphic* way-up.

The intersection of the foliation

surface  $(S_1)$  with the bedding plane  $(S_0)$  produces a lineation  $(L_1)$  parallel with the fold axis (Fig. 4.3b and 3. 16). It is essential that this lineation is systematically recorded during a mapping programme because it is a measure of the plunge of the folds (see Table  $3.4$ ).

#### *4.3.1 Transposition*

Transposition is the rotation of a preexisting foliation or bedding into parallelism or near parallelism with the fold axial plane. This produces a new transposed layering (see Hobbs *et aI.,* 1976), which may also incorporate mineral segregation and redis-



Fig. 4.5 An illustration to the use of bedding/cleavage relationships to determine the major structure and to locate the major fold hinge.

... "---'-' - - ..

tribution and hence result in a new metamorphic layering (Fig. 4.6a). On a small scale the orientation of this new layering often does not represent the gross orientation of the larger lithological units. An example of transposition in greenschist-facies rocks is shown in Fig. 4.6b.



Fig. 4.6a Transposition of a pre-existing foliation  $S_1$  and bedding  $S_0$  by crenulation folding to produce a transposed foliation S2. (a) Bedding S<sub>0</sub> and first cleavage S<sub>1</sub>; (b) Asymmetric crenulation folding with rotation of both S<sub>1</sub> and S<sub>0</sub> into the fold limbs; (c) Increased rotation of S<sub>1</sub> and S<sub>0</sub> towards parallelism with the S<sub>2</sub> fabric (crenulation fold axial planes). Pressure solution on the fold limbs, recrystallisation and metamorphic growth will enhance the S<sub>2</sub> fabric.



sandy beds are transposed into the foliation (vertical). The original bedding planes (S<sub>0</sub>) cannot be traced across the photograph.

4.3.2 Superposed foliations

In an area that has been affected by two deformations, the first foliation  $(S<sub>1</sub>)$  becomes folded and a new foliation  $(S_2)$  is developed (Fig. 4.7). The second foliation is usually a crenulation cleavage which intersects the first foliation to produce a crenulation lineation  $L_2$  in  $S_1$ . The crenulation foliation may also intersect the bedding  $(S<sub>0</sub>)$  to produce a crenulation lineation L<sub>0</sub> in S<sub>0</sub> (see Table 8.1). In areas of only two phases of folding, the crenulation foliation S<sub>2</sub> (approximately axial planar to the second phase of folds) will be fairly constant in orientation, whereas the orien $_{\text{ratio}}$  of  $L_2$  will vary according to the orientation of  $S_1$  within the firstphase fold structures (e.g. fanning s, foliation). The orientation of the crenulation cleavage/bedding intersection L<sub>0</sub> will vary significantly according to the orientation of the bedding S<sub>n</sub> in the first-phase fold structures.

Transposition (Section 4.3.1) is a common feature of microfolding associated with crenulation-type cleavages produced by a second deformation.

#### 4.4 Mapping foliations

Foliations should be systematically mapped and plotted on your field slips in the same way as bedding. Measurement techniques are the same as those employed for any 'S' surface (Section 2.3.2). Data to be collected if one tectonic cleavage or foliation is developed are listed in Table 4.1. The importance of measuring the orientation of *cleavage* S<sub>1</sub> and the bedding|cleavage intersection L1 cannot be overemphasised. If two tectonic cleavages are present then Table 4.2 outlines the additional data to be collected.



Fig. 4.7 Superposed foliations. A second cleavage - a crenulation cleavage  $S_2$  is developed by microfolding of the first cleavage S<sub>1</sub> (a slaty cleavage).



Table 4.1 Data to be collected from observations on the first cleavage (or schistocity),  $S_1$  (commonly a slaty cleavage).



 $\mathbb{R}^{1208}, \mathbb{R}^3, \mathbb{R}^3$ 

1383

 $\times$  g  $\times$ 

 $1 - 8$ 

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## 5 *Linear structures*

A lineation is a linear rock fabric that may result from the intersection of two planar features, from the alignment of mineral grains, crystals or clasts within the rock, from linear shape fabrics of grains and clasts, or from the parallel alignment of tectonic clements such as minor fold or crenulation axes or slickensidegroove features. Here we are concerned with tectonic lineationsprimary or depositional lineations are discussed by Tucker (1982). Lineations include bedding/cleavage intersections, crenulation lineations, minor fold axes, mineral stretching lineations, slickensides, grooving on fault and fracture planes, and boudin axes. Rocks with a penetrative linear fabric are termed *L tectonites*. Lineations are commonly used in complex deformed areas to define subareas of structural homogeneity. Reori*entation* of earlier linear structures can be an important indication of later deformation.

## 5.1 Lineations associated with folding

#### 5.1.1 Bedding-cleavage intersection

The most distinctive form of linear structure in simply folded areas is the bedding( $S_0$ ) / cleavage( $S_1$ ) intersection  $(L_1)$  (Fig. 5.1a). This basic geometry is illustrated in Fig. S.lb. The intersection of bedding surfaces and cleavage is parallel or approxi\_ mately parallel to the fold axis  $b_1$ . This lineation may be measured directly on the outcrop (Section 2.3.3, Figs. 2.11-2.12) or determined on the stereonet from bedding and cleavage measurements. Caution: the cleavage may not be precisely axial planar to the fold and hence the bedding/cleavage intersection  $L_1$ may not always be exactly parallel to the major fold axis  $b_1$ . A fold with an oblique cleavage (possibly as much as  $20^{\circ}$  from the axial plane) is known as a transected fold. Careful obser· vation of cleavage relationships in minor folds will indicate whether the folds are transected or not.

### 5.1.2 Crenulation lineations

Crenulation lineations are formed by the intersection of a crenulation cleavage (e.g.  $S_2$ ) with an earlier foliation (e.g.  $S_1$ ) (Fig. 5.1c). A crenulation cleavage *requires a pre-existing foliation* in order to develop-this may be a bedding fabric, a slaty cleavage or an earlier schistosity (Fig.



Fig. 5.1a Bedding/cleavage intersection lineation  $L_1$  as observed on the bedding plane in deformed mudstones.

5.1d). Commonly, the presence of a crenulation lineation on the slaty cleavage is a good indication of a second deformation. In some situations a crenulation cleavage may also result from progressive deformation during a single deformation.



Fig. 5.1c Crenulation lineation developed on the schistosity surface (or  $S_1$  surface) of crenulated psammitic schists.



Fig. 5.1b Folded layer  $S_0$  with a fanning axialplanar cleavage S, showing rhe development o{ the bedding/cleavage intersection lineation L<sub>1</sub> which is parallel to fold axis or hinge line. A mineral stretching lineation  $ML<sub>1</sub>$  is developed on the fold limbs and at 90° to the fold axis. The stereographic projection shows the plot of poles to bedding (solid circles), bedding/clcavage intersections-L<sub>1</sub> (triangles) and poles to fanning cleavage planes (small crosses). Fold axis is defined by the pole to the bedding great circle.





Fig. 5.1d Crenulation folding of a cleavage  $S<sub>1</sub>$ , showing the development of a crenulation cleavage  $S_2$  and an intersection ( $S_2$  on  $S_1$ ) lineation L<sub>2</sub>. The stereographic projection shows poles to the first cleavage  $S_1$  (solid circles), poles to second cleavage 5. (crosses) and the crenulation lineation L<sub>2</sub> (triangles). The major  $F<sub>2</sub>$  fold axis is defined by the pole to the  $S<sub>1</sub>$ cleavage great circle.

For second-phase deformations, the crenulation cleavage( $S_2$ ) / slaty  $cleavage(S<sub>1</sub>)$  intersection lineations  $(L<sub>2</sub>)$  may be analysed in a similar fashion to bedding/cleavage inter sections (Fig. 5.1d).

## 5.1.3 Pencil *cleavage lineations*

In some rocks (often mudstones and siltstones) there is a strong bedding plane  $(S_0)$  fabric which, when folded and cut by a slaty cleavage causes the rock to break into pencil-like slivers (Fig. 5.2). This is known as a pencil cleavage lineation and should be measured and analysed in the same way as the normal bedding/cleavage intersection (Section 5.1.1).



Fig. 5.2 Pencil cleavage lineation in a dolomitic siltstone as a result of the intersection of a strong bedding-parallel fabric and a strong tectonic cleavage.

## 5.2 Mineral stretching and elongation lineations

#### *5.2.1 Mineral stretching lineations*

*Mineral stretching lineations* (ML<sub>1</sub>) are formed by elongate mineral grains



Pig. 5.3 A mineral stretching lineation ML, in a sheared granite showing elongate quartz grains and feldspar aggregates.

(Fig. 5.3) and *elongation lineations* are formed by alignment of deformed pebbles and fossils. Both of these types of lineation can he either parallel to the fold axis *(b lineations)* or at high angles to it (a lineations) (see Fig. 5.1 b). Careful observation of the relationships between the *minor fold axes and linear structures* is essential.

## *5.2.2 Minerdllineations associated*  with flexural slip folding

In flexural slip folds (Fig. 3.12b) internal slip of fayers over one another produces slickensides, grooving and/or mineral stretching lineations, all of which are appproximately 90° to the fold axis. These lineations' indicate the direction and sense of slip between the layers. The slickenside lineations are commonly fibrous accretion steps (Fig. 5.4).



Fig.5.4 Fibrous quartz slickcnside lineations developed on the limb of a flexural slip fold.

### 5.3 Lineations formed by boudins, mullions or rodding

*5.3.1 Boudins* 

In folds whose limbs are strongly stretched, the more competent units will tend to neck into elongate lozenges called *boudins* (Fig. 5.5a). Similarly, if there is strong flattening perpendicular to a cleavage or schistosity plane, then competent units will neck into boudins (Fig. 5.5b) The boudin axis will tend to be parallel to the 'b' tectonic axis (i.e. the fold axis).  $34 - 340$ 

## 5.3.2 *Mullions*

Mullions form in a similar fashion to boudins in that they are usually parallel to the 'b' tectonic axis and occur when the *interface ·* between lncompetent and competent material is deformed (Fig. 5.5a).



Similar and William Police in the

Fig. 5.5a Lineations formed by boudinage and by mullions. In simple boudin structures the lineations tend to parallel the major fold axes.



Fig. 5.5h Boudin necks of amphibolite in quartzo-feldspathic gneisses.



Fig.5.5c L tectonite with rods of amphibolite in a quartzo-feldspathic gneiss.

## *5.3.3 Rodding*

Rods are stretched and elongated fragments of competent material in a ductile matrix. Pebbles, quartz veins or dyke fragments commonly form rods that are parallel to either the 'a'

or 'b' tectonic axis. Rodding produces L tectonites (Fig. 5.5c). Careful examination of the relationships between rodding and other structures such as folds is needed to determine whether the rods are parallel to the '*a'* or '*b*' direction.

## 5.4 Lineations associated with faults

Slickensides and grooving arc commonly associated with brittle faulting. Slickensides are often composed



Fig. 5.6a Slickensides developed as fibrous crysrals of quartz joining opposite sides of a stepped fault plane.



Fig. 5.6b Slickensides of fibrous quartz in sandstones. The movement direction is up in tbe photograph.

of fibrous crystals that stretch from one side of the fault plane to the other (Fig. 5.6a). In carbonates, linear structures called slickolites are formed by pressure solution of the bumps (asperities) in the fault plane and reprecipitation of fibrous calcite in the gaps (Fig. 5.6c). Grooves arc formed by comminution (grinding down) and solution as the two fault surfaces slide over one another (Fig. 5.Gd).



Fig. 5.6c Slickolitcs dcveloped in limestones by pressure solution wbich removes the bumps (aspcrities) in the fault surface, and redeposits the calcite in the spaces between thc stcppcd fault surfaces.



Fig. 5.6d Grooving on a fault plane in limestones.

## 5.5 Mapping linear structures

Linear structures are extremely important in structural mapping as they can be used to separate deformation phases and to determine the kinematics of deformation. In polyphase deformed terranes the consistency of particular intersection lineation orientations is a key factor in the subdivision of a map into structurally homogeneous sub-areas (see Section 8.3). They must be systematically measured and recorded whilst mapping.

The orientations of linear struc- $\mathbf{1}$ tures are measured as plunges (or less commonly as pitches Section 2.3.3). They plot as points on the stereographic projection (Fig. 5.1b).

Intersection lineations e.g. L.  $\overline{2}$  $(S_1/S_0)$  (parallel to b) must be distinguished from mineral stretch. ing or elongation lineations e.g.  $ML$  (generally parallel to  $a$ ).

Data to be collected during the mapping of lineations are outlined in Tables 5.1, 5.2 and 5.3.



Table 5.2 Data to be collected from observations on mineral stretching lineations ML<sub>1</sub>, ML<sub>2</sub>.



Table 5.3 Data to be collected from observations on lineations associated with faults.



## 6 F *aufts and shear zones*

### Faults

Britde to semi-brittle faults are planar discontinuities along which significant displacement has occurred. They generally form in the upper 10-15 km of the crust.

## 6.1 Classification and description of faults

Numerous classification schemes for faults have been erected based on the *dip of the jault plont and the direction of*  slip. In many cases, it is not possible to find the exact displacement as this requires knowledge of the location of matching points on either side of the fault plane. It is not easy to determine the direction of slip if the fault plane is not exposed. In this Handbook two schemes are referred to: *(0) Anderson's Dynamic Classification*  which relates. to the stress systems responsible for the faulting and (b) a simple descriptive scheme based upon the geometry and separation across a fault plane.

## 6.1. 1 *Anderson's dynamic*   $classification$  of faulting

Anderson's (1951) dynamic classification of faults (Fig. 6.1) is based on the fact that no shearing stress can exist at the Earth's surface, hence, for faulting to occur close to the Earth's surface, one of the principal stresses  $(\sigma_1, \sigma_2, \text{or } \sigma_3)$  must be perpendicular to the Earth's surface, and therefore vertical.

*Normal faults*  $\sigma_1$  is vertical and  $\sigma_2$ and  $\sigma_3$  are horizontal. The dips of the fault planes are  $\sim 60^{\circ}$ .

*Wrench or strike-slip faults*  $\sigma_2$  is vertical and  $\sigma_1$  and  $\sigma_3$  are horizontal. In this case the fault planes are vertical and the movement direction is horizontal, i.e. strike-slip.

*Reverse faults*  $\sigma_3$  is vertical and  $\sigma_1$ and  $\sigma$ <sub>2</sub> are horizontal. The fault planes dip at approximately 30° to the horizontal.

Note that the angle bisected by  $\sigma_1$ between conjugate fault planes is a function of the material properties of the rocks undergoing faulting and can vary between 45° and 90°. 60° is taken as a typical value.

## 6.1.2 Geometric classification and *descriplion oj j allils*

This classification is based upon the sense of movement (separation)





and direction of slip across the fault plane and is as follows:

- 1 Extension faults-e.g. normal faults (Fig. 6.2a).
- 2 Contraction faults-e.g. reverse faults, thrust faults (Fig. 6.2b).
- 3 Strike-slip-e.g. wrench faults, transform faults (Fig. 6.2c and d).

Listric faults Many fault planes are curved, not planar, at depth. Fault planes which are *concave upwards*, and have a fault plane which flattens out at depth are termed *listric* faults. Two types are found: the *listric extension fault* (Fig. 6.3a) is a curved fault which may be divided into' a highangle extension fault, medium-angle

extension fault and bedding plane or sole fault segments. With the highangle and medium-angle fault sections, stratigraphy is omitted and younger rocks overlie older rocks. A listric extension fault is shown in Fig. 6.3b.

*A listric contraction fault* (Fig. 6.3c) is a curved fault in which the steep, often sub-vertical segment is a highangle contraction fault. In both the steep and middle segments, older *rocks* overlie *younger rocks*, whereas there is little or no repetition by the sole fault. More complicated geometries arise in systems where faults may have several listric sections and arc *linked* to other faults (see 6.3 and 6.4).



Fig. 6.2 Geometric classification of faults based upon separation across the faults and with a knowledge of the slip direction on the fault (i.e. from slickensides). For an observer standing on the fault plane, the *hanging-wall* is the rock unit above the fault plane and the *foot-wall* is the rock unit below the fault plane; (a) a dip slip extension fault as seen in a cross-section producing stratigraphic omission. As viewed by the observer, the hanging-wall fault block has moved down relative to the foot-wall fault block; (b) dip slip contraction fault as seen in a cross-section producing stratigraphic overlap. As viewed by the observer, the hanging-wall has moved up relative to the foot-wall; (c) sinistral strike-slip or wrench fault in plan view. As seen by the observer standing on the nearest fault block, the fault block on the other side of the fault plane has moved to the left; (d) dextral strike-slip or wrench fault in plan view. As seen by the observer standing on the nearest fault block, the fault block on the opposite side of the fault plane has moved to the right.

#### Fault displacements  $6.2$

In many cases exact fault displacements cannot be determined in the field, but for most faults the following data can be collected:

Direction of movement: this can be  $\mathbf{1}$ determined from grooving, slickensides, stretched crystal fibres and slickolites on the fault plane (Fig. 6.4). Movement lineations should be plotted as ancillary symbols on the fault plane symbol (see Table 2.1, p. 42).

2 Sense of movement: is determined from stratigraphic relationships (e.g. older rocks over younger rocks), from the apparent offsets of marker units, dykes and other faults. Great care, however, needs to be exercised, when faults cut already folded strata. The sense of movement should be plotted on the stereographic projection, using a partially filled circle with the solid segment on the downthrown side e.g. Fig. 6.1. Fig. 6.5 shows an example of a contraction fault where sense of displacement is from left to right.



Fig. 6.3 Listric faults-fault planes concave upwards: (a) listric extension fault. (b) listric extension fault in marbles and pelites, West Greenland; field of view ca. 300 metres. (c) listric contraction fault.



Fig. 6.4 Fibrous quartz slickensides developed on a fault plane.



Fig. 6.5 Contraction fault in sandstones and shales showing stratigraphic overlap and contraction from left to right. Field of view ca 75 m.

3 *Stratigraphic separations:* It is usually possible to either measure or estimate the stratigraphic separation across a fault, using measured or estimated stratigraphic thicknesses of strata affccted by the fault: e.g. stratigraphic extension across an cxtensional fault and stratigraphic contraction across a contractional fault (Fig. 6.2). Where possible the stratigraphic separation should be

marked adjacent to the fault symbol on the map (see Table  $2.1$ ).

*Rotation* is usually difficult to assess in the field and requires a knowledge of displaced points on both sides of the fault plane.

Once the movement direction of a fault has been determined, the simple classification of faults can be refined to specify the direction of slip as illustrated in Fig. 6.6. Fig. 6.6 also illustrates the terms *throw and heave*.

#### 6.3 Extension faults

The term *extension fault* is preferred to the more commonly used *normal* fault because it refers to the effect of the fault (i.e. it extends the strata). An example of conjugate extension faults is shown in Fig. 6.7. Extension faults may be planar (Fig. 6.2) or listric (Fig. 6.3).

## *6.3.1 Extensional jault rystems*

Extensional faults may occur in linked systems, of which two main types are found:

*(a)* domino fault systems (Fig. 6.8a) of planar rotational extension faults linked by a basal detachment;

*(b)* listric extensional faults (Fig. 6.8b) producing rotation of the han· ging-wall blocks and also linked to a basal detachment.

It is also important to recognise the propagation directions of faults and to appreciate which faults are



Fig.  $6.6$  Block diagrams showing the slip (displacement) of faults when the absolute directions ofmovement ean be determined. .



Fig. 6.7 Conjugate extension faults developed in interbedded sandstones and siltstones. Field of View 10m.

younger. Above a major detachment fault it has been found that the deformation propagates into the hangingwall as depicted in Fig. 6.8c. Hanging-wall roll-over anticlines (Fig. 6.3a) with antithetic and synthetic faults develop above the listric fault (Fig. 6.8c).



Fig. 6.8 Extensional fault systems: (a) domino extensional fault system-linked planar rotational extension faults; (b) listric extensional fault system-linked listric extensional faults (with geometrically necessary rotation); (c) propagation of second-order faults above a major listric detachment. The second-order faults may be termed synthetic if their sense of movement is the same as that of the major (firstorder) fault, or *antithetic* if the movement is in the opposite sense.

Symbols for recording extensional fault systems on the map are shown in Fig. 6.9, together with an example. of the stereographic projection of an extensional fault system. An example of a map of an extensional fault ter. rane is shown in Fig. 6.10, illus. trating the linkage of faults to a basal detachment.



Fig. 6.9 (a) General map symbols for dip slip extensional faults. (b) Stereographic projection of the relationships shown in a, - note the use of partially filled circles to indicate the downthrown blocks.

## 6.3.2 Mapping extension faults

Structural data that should be collected for extension faults are listed in Table 6.1.



Fig. 6.10 Map of an extensional fault system in deltaic sediments. The cross-section (at the same scale as the map) shows a system of linked listric faults which merge into a basal detachment fault (adapted after a map by Nick Way). Symbols as in Table 2.1 (p. 42).



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## 6.4 **Contraction faults**

In this section low-angle contraction faults, i.e. *thrust faults* are discussed. Thrust faults are found in most compressional tectonic regimes. Although the complete fault cometry is often not exposed, you should be aware of the geometric  $\frac{1}{\text{consequences of thrusing and recog}}$ nise its effects on map patterns. Summaries of modern thrust terminology and geometries are given by Boyer and Elliott (1982) and Butler (1982).

## *64.1 Thrust faults in very low grade metamorphic terranes*

Many thrust faults in these terranes (e.g. foreland fold and thrust belts) have a staircase geometry, comprising long, hedding-parallel glide zones *- flats* - separated by short, steeper-angled thrusts or *ramps* (Fig. 6.11).

Thrust faults are *three dimensional*  and they can be considered to have a *slipped region* surrounded by a *ductile bead* (a cleavage front or anticlinesyncline pair). Thus, at thrust fault terminations *(tip line)* the thrust faults die out into an anticline-syncline pair. **In** three dimensions, a thrust fault may have a complex ramp geometry with *frontal ramps*  (perpendicular to the movement direction); *lateral ramps* (parallel to the movement direction); and *oblique*  ramps (oblique to the movement direction), (Fig. 6.11d).

Thrust faults may be *linked* by

*wrench faults* (tear faults) which root in the underlying *floor or sole thrust*  (Fig. 6.11e). Such tear faults occur on all scales linking small imbricate faults, to large thrust systems.

When a thrust sheet moves over a ramp (Fig. 6.11a) it becomes folded, forming the characteristic 'snake's head' structure (Fig. 6.11a) with kink and box-fold structures. Consider a segment that moves over the ramp: it folds, unfolds, folds again and then finally unfolds (Fig'. 6.11a). Each stage of the deformation will be accompanied by internal strains and structures, i.c. fractures, with the result that complex superposed structures are produced (i.e. superposed cleavages, fracture patterns).

A thrust sheet that has moved over a ramp will produce an uplifted segment of lower stratigraphy. In three dimensions, this will be bounded by culmination walls (Fig. 6.11e). Erosion of this culmination will produce a tectonic 'window'. Examples of thrust fault geometries are given in Fig. 6.12. It is pertinent to note the development of folds above a thrust fault, and these can give important information on the geometry of the underlying thrust plane.

## *6.4.2 Thrust faults in higher grade terranes*

In low green schist-facies terranes and at higher metamorphic grades, thrust faulting is commonly associated with folding and the development of penetrative foliations. In

such situations a staircase fault geometry (Section 6.4.1) may not be well developed and the thrust fault may have a smooth trajectory (Fig. 6.13). Folding may be intimately associated with the thrust faulting with the faults cutting folded beds at high angles and penetrative foli. ations may be developed (Fig.  $6.13$ ).



 $\vec{F}$ ig. 6.11 on p. 94 *(a)* Staircase thrust fault trajectory showing the development of *flats* (f) where Fig. thrust fault is parallel to the bedding and *ramps* (r) where the thrust fault cuts up-section the unit the bedding. Note the development of a typical 'snake's head' type structure as the hangingthrust sheet moves up and over the ramp. Note also the development of geometrically wan structures. *(b)* Development of a *duplex* where stratigraphy is duplicated by repetition on *link thrusts* (I) which link to a *floor* thrust (f) and to a *roof* thrust (r). Individual thrust segments are termed *horses*. (c) Development of a *back thrust* (b) and a forward for thrust (fp) resulting in an uplifted triangle zone. (d) The three-dimensional nature of plust fault surfaces. In the foot-wall sheet there will be *frontal*, oblique and *lateral* ramps. In the hanging-wall sheet there will be geometrically necessary *folds* associated with the ramps-e.g. *Irontal folds, oblique folds* and *lateral folds.* (e) Thrust shcets linked by strike-slip faults (tear faults).



Fig. 6.12a Thrust fault in the Moine Thrust zone of NW Scotland. Older dark siltstones are thrust over younger light-coloured dolomites along a planar thrust fault.



Fig. 6.12b Curved duplex link fault in the Moine Thrust zone of NW Scotland.



Fig. 6.12c Small-scale duplex in limestones in the Canadian Rocky Mountains. Note the smooth trajectories of the floor (f) and roof thrusts  $(r)$  and the sigmoidal link thrusts  $(1)$ bctween them.





An example of a map of a thrustterrane is shown in Fig. 6.14. Here there is an intimate association of folds and thrusts which cut the strata at high angles. This is also reflected in the smaller scale structures (Fig. 6.15) where the thrusts cut bedding at a high angle (90°), thus indicating that the thrusting accompanied or post-dated the folding.

#### Basic rules for thrust faults  $6.4.3$

Some basic rules governing the geometry and the kinematics of thrust faults can now be formulated to assist in the mapping of these structures:

- 1 Thrusts bring older rocks over younger rocks, unless they develop in already folded strata.
- Thrusts climb up stratigraphic  $\overline{2}$

section, unless they develop in already folded strata.

- Thrusts propagate in the direc-3 tion of movement.
- In a thrust system, topographically higher but older thrusts are carried 'piggy back' on lower, younger thrusts.
- Higher (older) thrusts are folded 5 as lower, younger thrusts climb ramp structures.
- Ramp angles or 'cut-off' angles 6 are generally between 15° and 30° to the bedding datum.

These basic rules have been well proven in many thrust belts, but may be invalidated if it can be shown that a later thrust may have cut through earlier formed structures from the rear. Such a thrust fault is termed an out of sequence thrust and rules 1-6 may be invalidated by these thrusts.







Fig. 6.15 Detailed field sketch of thrusting in the Purcell Mountains, Canada, showing high thrust cut-off angles; folding and thrusting occurred together.

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## *6.4.4 Movemenl direction of thrust fau/ls*

Movement on thrust faults can be determined by:

- 1 *'Bow and arrow nt/e':* **In** plan, thrust faults are commonly curved (Fig. 6.14a) and the movement direction is generally normal to the 'string' formed by connecting the ends of the 'bow', i.e. in the direction of the 'arrow'.
- 2 Movement is normal to frontal ramps in the thrust fault.
- 3 Movement is normal to folds produced over frontal ramps or folds produced in the ductile bead ahead of the thrust tip line.
- 4 Movement is parallel to lateral ramp systems and associated folds.
- 5 Movement can be determined from the development of slickensides and other lineations on brittle fault planes.
- 6 Movement can be determined by ductile lineations in or near the fault plane  $-f$ . mylonitic lineations (Fig. 5.3).
- 7 In ductile thrust regimes, folds will form initially parallel to the thrust front, but then subsequent deformation will rotate them into parallelism with the transport direction.

## *6.4.5 Mapping thrustfaulls*

Data that should be collected from thrust faulted terranes are shown in Table 6.2.

## **6.5 Strike-slip or wrench faults**

Strike-slip or wrench faults are vertical (in the upper part of the crust) and have horizontal move\_ ment directions (Figs. 6.1, 6.2 and 6.6). They are classified as *dextral*  (right lateral) or *sinistral* (left lateral) (Fig. 6.2 and 6.6).

The following features of wrench fault systems have been found:

- 1 Wrench faulting is initiated (Fig. 6.16a) by the development of Riedel shears  $(R_1 \text{ and } R_2)$  ori. ented at  $\simeq 30^{\circ}$  to the maximum principal compressive stress  $\sigma_{1}$ . Movement is concentrated on one Riedel system R<sub>1</sub> which is synthetic to the direction of maximum resolved shear stress (e.g. Fig. 6.16b) and the anti. thetic system  $R<sub>2</sub>$  is subordinate. In some systems synthetic P, and antithetic X shear faults may also develop.
- The major through-going wrench fault is oriented at 45° to the maximum compressive stress  $\sigma_{1}$ .
- 3 Secondary wrench faults (antithetic and synthetic) occur along the Riedel shear directions and these may in turn develop their own secondary fault patterns.

Fig. 6.16a represents the defor· mation on a wrench fault system in terms of a 2D deformation ellipse which shows not only the antithetic and synthetic wrench faults but also zones of compression and extension within the system. Zones of compression can give rise to folds and

 $5.6)$ Listric/planar/stepped fault. Movement direction. (Fig. Movement patterns.<br>Stress systems. (Fig.  $6.1)$ Kinematic development. Displacement direction. Amount of contraction.  $(1)$ Deformation processes Stress systems. (Fig. Movement patterns. Fault sequences. Minimum slip. Fault systems. Fault systems. (Fig. 6.11a)  $(Fig, 5.6)$ of Results Curvature/stepped nature of fault Nature of lineations on fault plane Nature of fault plane: fault rocks. Stratigraphic separation/overlap. Nature of synthetic structures.<br>Movement directions. (Fig. 5.6) Movement directions. (Fig. 5.6) Width of fault zone. (Fig. 6.11) Nature of antithetic structures. Imbricate fan? duplex? out of Associated olding. (Figs. 6.11a and 3.13) Relationships to other faults. Cross-cutting relationships: Movement sense. (Fig. 5.6)  $R_{\ell i}$  $\overline{u}$ fibrous slickensides?). (Fig. 6.18, Table 6.4) What Observations movement. sequence? Ramps? Sense of shear. Table 5.3) Sense of plane? slickolites (Figs. 2.4-2.13, 5.6 and Orientation of displaced units on<br>both sides of fault (Figs. 2.5–2.8). Data to be collected from contractional faults. Otientation of fault plane (dip<br>direction) (Figs. 2.5–2.8). structures: faults and fractures Orientation data on antithetic structures: faults and fractures Orientation data on synthetic Lineations on fault plane:  $Figs. 2.5-2.8, 2.11-2.13$  $2.5 - 2.8$ ,  $2.11 - 2.13$ ). What to Measure grooving, slickensides, direction) (Figs. (Figs. 2  $5.4$ . Table 6.2

thrust faults, whereas zones of extension develop extension (or normal) faults.



Fig. 6.16a Regional strain ellipse associated with a wrench/strike-slip fault system. The Reidel shear faults are the synthetic R, and antithetic R, systems (in most cases displacements are minor on these faults). In some systems synthetic P and antithetic X shears may also develop. Folds and contraction (thrust) faults are developed at 90° to  $\sigma_1$ , whereas extension (normal) faults are developed 90° to  $\sigma_3$ .



Fig. 6.16b An example of Reidel shears associated with a sinistral strike-slip fault in quartzites.

## 6.5.1 En-echelon wrench faults

Wrench faults commonly occur in en-echelon systems and, as such, can be termed right-stepping or left-step. ping (Fig. 6.17). Types 1 (right-step. ping) generates an extensional zone (normal faults) whereas Type 2 (left. stepping) generates a compressional zone (folds and reverse faults).  $F_n$ . echelon folding typically accompanies wrench faulting. These styles have been well demonstrated in high-level brittle structures and the resulting geometric patterns should be taken into account during mapping programmes (Fig. 6.17).

### 6.5.2 Movement directions

Movement directions on wrench fault systems will generally be horizontal-sub-horizontal. They can be determined by:

- 1 Slickensiding or grooving on exposed planes; (Fig. 6.4)
- $\overline{2}$ Analysis of patterns of antithetic and synthetic faulting, and of minor fracture patterns; (Fig.  $6.16a)$
- $\overline{3}$ Rotation of structures into the fault zone, indicating movement directions; (Fig. 6.16b)
- $\overline{4}$ Development of horizontal linear fabrics in rocks adjacent to the fault zone.

#### 6.5.3 Mapping wrench faults

Table 6.3 lists the data that should be collected from wrench fault zones.

Fault sequences. (Figs. 6.16 and Movement patterns. (Fig. 6.16a)<br>Stress systems. (Fig. 6.16a) Movement direction. (Fig. 5.6) Fault systems. (Fig. 6.16a) 6.19)<br>Kinematic development. Displacement direction. Deformation processes. Amount of slip/offset. Results of Analysis  $(Fig. 6.16a)$ (Fig. 5.6) Nature of lineations on fault plane Nature of fault plane fault rocks. Nature of synthetic structures.<br>(Fig. 6.16a)<br>Movement directions. (Fig. 5.6) Movement direction.  $(\mathrm{Fig.~5.6})$  Sense of shear. What Observations to Record Relationships to other faults. Movement sense. (Fig. 5.6) Cross-cutting relationships. (Fig. 6.18 and Table 6.4) (fibrous slickensides?). Width of fault zone. Associated folding.  $(Table 5.3)$ Orientation of fault plane (dip<br>direction) (Figs. 2.5–2.8 and 6.1). Orientation of displaced units on  $5 - 2.8$ . Orientation data on synthetic<br>structures Riedel shears R<sub>1</sub>, R<sub>2</sub>, Second and third order faults  $6.16a)$ . both sides of fault (Figs. 2. wrench faults Lineations on fault plane: What to Measur slickolites (Figs. 5.6, 6. grooving, slickensides, Associated folds (Fig. P shear (Fig.  $6.16a$ ). Data to be collected from  $2.13$ . **Structure** Table 6.3



Fig. 6.17 En-cchelon wrench faults showing different senses of off-set. (a) Right-stepping faults (going from the upper fault to the lower

fault) generate a zone of extensional faultino- $(b)$  Left-stepping faults generate a zone of compression: thrust faulting and folding.

#### 6.6 Fault rocks

When mapping faults it is appropriate to carefully describe the types of fault rock developed as these may provide important clues as to the conditions of deformation during faulting, e.g. gouge and breccia commonly form at high crustal levels, whereas mylonites commonly form at deeper crustal levels (at higher temperatures and pressures) and indicate plastic deformation. Sibson (1977) has provided a classification for describing fault rocks (Table 6.4).

The classification shows three main subdivisions:

1 Incohesive unfoliated fault rocks-Fault gouge-powdered, crumbly

fault rock (falls apart in your fingers)—with less than 30% visible rock fragments (Fig.  $(6.18a)$ .

Fault breccia-fault rock consisting of loose or loosely bound angular rock fragments often in a gouge matrix (Fig. 6.18a).

 $\overline{2}$ Incohesive foliated fault rocks Foliated fault gouge and foliated fault breccia-gouge and breccia as described above but having a distinct planar fabric in the fault gouge and alignment and preferred shape orientation of the breccia fragments.

Cohesive unfoliated fault rocks - $3<sup>1</sup>$ Pseudotachylite-a frictional melt generated by fault movement. Characteristically black and rible 6.4 A classification of fault rocks (modified after Sibson, 1977).



glassy and occurring in veins and seams with other fault rocks (Fig.  $6.18<sub>b</sub>$ ).

Crush breccia-a hard, intact, unfoliated rock consisting of angular fragments with no preferred orientation (Fig. 6.18c). Cataclasites-intact and unfoliated rocks with the grain size tectonically reduced by fracturing. Cataclasites vary from Protocataclasites highly fragmented rock showing many large fragments of the original rock type to Ultracataclasites-dark ultra fine-grained almost glassy rocks with no relicts of the original rock type.

- Cohesive foliated fault rocks-
- Mylonite series-generally finegrained dark foliated rocks with ductile fabrics (e.g. folds) and grains showing a reduction in size by plastic processes (Fig.  $(6.18d).$

Phyllonite series - mica-rich mylonites which have the silky appearance of phyllites and a well developed foliation (Fig. 6.18e).

Fault rocks should be described in the field using Table 6.4. Samples should be collected for petrological examination to confirm the field interpretations.

#### Shear zones

Shear zones are narrow, sub-parallelsided zones of strong non-coaxial deformation. They occur on all scales from crustal size to microscopic and range from brittle to ductile in character-in fact, many fault zones can be treated as shear zones. Brittle shear zones form in the upper  $5 \text{ km}$ of the crust, whereas ductile shear zones generally form below  $5-10$  km in the crust. Ductile shear zones are common in deformed crystalline basement rock. They are characterised by high shear strains, strong foliation development and large dis. placements (relative to their width) Typically they form in homogeneous isotropic rocks, but once formed deformation is concentrated within the shear zone.

## 6.7 Geometry of shear zones

Shear zones can form conjugate arrays, and these, or the individual shear zones, can be analysed to determine strain displacements and palaeostress directions. Ramsay (1982) tabulated the properties of shear zones in the crust (Table 6.5).

## 6.7.1 Types of shear zones

The geometries of simple brittle-toductile shear zones are shown in Figs. 6.19-6.21. In each case simple shear (Ramsay, 1967) is assumed, and the shear zone boundaries are at 45° to the principal compressive stress  $\sigma_1$ .

Brittle shear zone Three sets of fractures may develop in the shear (fault) zone. R<sub>1</sub> principal Reidel shears; R<sub>2</sub> conjugate Riedel shears (generally subordinate); and P synthetic shears, whose directions are imposed by boundary conditions and may or may





Fig. 6.18 Fault rocks and their textures: (a) Gouge and breccia fragments developed in a fault in siltstones. Note the very angular fragments. (b) Pseudotachylyte vein in faulted gneisses. Note the rounded gneiss fragments (probably due to thermal fragmentation).  $(c)$ Crush rock breccia developed in mylonitic gneiss. Angular fragments with no preferred orientation. (d) Fine-grained quartz mylonite with intrafolial folds. (e) Quartz-eye phyllonite comprising strongly sheared quartz veins in a mica-rich phyllonitic matrix.



not develop. Stress orientations and sense of shear orientations can be deduced from the pattern of Riedel shears and from the fabric in the fault gouge (Fig. 6.19a). An example of a brittle shear zone is shown in Fig. 6.19b.

Semi~britfle *shear zone (en-echelon tension gashes)* Here the deformation is partly ductile with the development

 $\sigma$ *0\* .Z ł, shear zone  $\sigma_1$ shear zone boundary R,  $\rightarrow$ gouge fabric

Fig.  $6.19$  Brittle shear zones: (a) Brittle shear zone showing the development of a gouge fabric,  $R_1$  and  $R_2$  Riedel shears and a low-angle P shear: The stress systems for the Riedel shear systems and for the through-going shear zone arc also shown. *(b)* Brittle dextral shear zone in massive volcanic breccias. Note the development of R<sub>1</sub> Riedel shears.

of pressure-solution cleavage and partly brittle with extensional veins developed (total volume change =  $\theta$ ). The tension gashes have their tipe oriented parallel with  $\sigma_1$  and are gen erally infilled with fibrous minerals that grow incrementally in the *0*  direction (Fig.  $6.20a$ ). The pressure solution cleavage (if developed) forms 90 $^{\circ}$  to  $\sigma_1$  and the vein tips, but becomes rotated towards parallelism with the shear zone walls in the  $c_{en}$ . tral part of the shear zone. An exam\_ ple of a semi-brittle shear zone with en-echelon tension gash veins is shown in Fig. 6.20b.

*Ductile shear zone* Here the defor. mation is entirely ductile and produces a strong schistosity which orig. inates at 45° to the shear zone (and perpendicular to  $\sigma_1$ ). As deformation proceeds the schistosity is rotated towards the shear zone plane umil, at large strains, it is nearly parallel to the shear zone boundaries (Fig. 6.21a). An example of a ductile shear zone is shown in Fig. 6.21b.

The total shear strain and displacement within ductile and brittleductile simple shear zones are easily analysed using the methods of Ram· say and Graham (1970) but require detailed grid mapping and/or pho· tography so that all the structural elements can be recorded *across* the shear zone.

*Conjllgate shear zones* Shear zones may develop in conjugate arrays (Fig. 6.22) and, as such, may be ana' lysed to determine principal stress orientations (Table 6.5).





Fig. 6.20 Semi-brittle to semi-ductile shear  $z$ ones:  $(a)$  Semi-brittle shear zone showing the development of en-echelon fibrous tension gashes. The fibre orientations reflect the incremental orientations of the  $\sigma_3$  stress axis as the tension gash grows. Inside the shear zone a pressure-solution cleavage may be locally developed. The ideal orientation of the  $\sigma_1$  and of the  $\sigma_3$  stresses outside the shear zone are also shown. (b) Semi-brittle dextral shear zone in greywackes. Several sets of en-echelon quartz tension gashes are developed.

*Note:* It is important to remember that a shear zone must start and end. At the ends of a shear zone, complex foliation and strain patterns occur, so



Fig. 6.21 Ductile shear zones: (a) Ductile shear zone showing the development of a foliation at 45° to the shear zone margin (and 90° to  $\sigma_1$ ) and rotation of this foliation into the shear zone. (b) Ductile sinistral shear zone in a tonalite. Note the development of a schistosity at the shear zone margins, and the rotation of this schistosity into parallelism with the shear zone.

Table 6.5 Geometric properties of shear zones in the crust.



above only apply in the central part of a shear zone undergoing simple shear deformation.



Fig. 6.22 A conjugate atray of semi-brittle shear zones as seen on a bedding plane in deformed sandstones. Note the en-echelon quartz tension gashes and pressure-solution seams at 90° to the tension gashes. Field of view  $2m$ 

#### 6.8 Structures in shear zones

The orientation of structural elements outside and within the shear zone gives important information on the sense of shear, strain and displacement within the shear zone, and a brief summary of the relevant structures to be observed in the field is given below.

Planar structures: Foliation Initiates at 45° to the shear zone and with increasing strain is rotated towards parallelism with the shear zone walls (Fig. 6.21b).

Passive layers: These are layers of rock or pre-existing foliations which have no contrast in competency with, or mechanical effect upon the shear zone and are simply rotated into the shear zone (Fig. 6.23a).



Fig. 6.23a Dextral shear zone in psammitic schists showing the rotation of a pre-existing foliation into parallelism with the shear zone boundaries (horizontal).

Active layers: These have a competency contrast with the shear zone material, and are folded or boudinaged according to their initial orientation (Fig. 6.23b). Fold axes will generally not be in the XY plane of the strain ellipsoid for the shear zone.

Linear structures: Lineations Many shear zones develop a strong mineral stretching lineation parallel to the shear direction (e.g. Fig. 6.21a). Preexisting lineations (e.g. pre-existing fold axes) are rotated towards parallelism with the shear direction. In such situations the fold hinge lines



Fig. 6.23b The effects of shear zone deformation on competent layers of different initial orientations: (1) a layer at an initial angle  $\alpha$ , which lies at more than  $90^{\circ}$  to the shear zone boundary, becomes thickened and folded; (2) layer at an angle  $\alpha$  which initially is <90° to the shear zone boundary, and becomes thinned and boudinaged; (3) layer at an angle  $\alpha$  initially  $> 90^{\circ}$  to the shear zone boundary (less than in a above) and which first shortens by folding and is subsequently stretched and boudinaged, (reproduced with permission from Ramsay, 1980).



Fig. 6.24 Curved fold hinge lines and folds with eye-shaped cross-sections- 'sheath folds'. These are formed and deformed in a shcar zone.





Fig. 6.25 Kinematic indicators for simple shear deformation. (a) Sigmoidal feldspar porphyroblasts with tails of recrystallised feldspar trailing into the foliation and producing asym· metric augen structures.  $(b)$  Fragmented augen showing antithetic slip on fracture planes in the grain, (see Simpson and Schmid, 1983, for details).

are strongly curved and sheath folds are produced (Fig. 6.24), typically with 'eve'-shaped cross-sections.

## *6.8.1 Sense of shearing in shear Zones*

The correct evaluation of the sense of shear in shear zones is vital in structural mapping, e.g. to determine whether a mylonite/shear zone is extensional or contractional.

The field criteria that may be used (with care) as kinematic indicators to deduce sense of shear arc listed below.

- 1 En-echelon tension gashes (Fig. 6.20);
- 2 Orientations of foliation (Fig. 6.21);
- 3 Orientations of gouge and Riedel shears (Fig. 6.19);
- 4 Asymmetric augen structures (Pig. 6.25a);
- 5 Broken and displaced pebbles, grains and crystals (Fig. 6.25b);
- 6 C and S fahric relationships (Figs. 6.26a & b);  $(C = \text{shear surface})$ sub-parallel to shear zones;  $S =$ schistosity surface). The orientation of S surfaces which occur between the shear surfaces is antithetic to the sense of shear, i.e. against it.
- 7 Development of shear bands in homogeneous, strongly foliated 'rocks (Figs. 6.27a and c).



Fig. 6.26a The geometry of C. and S fabrics as seen in shear zones. The C plane is the shear plane and S is the schistosity plane. The C plane has an extensional geometry with respect to the sense of shear. (Fig. 6.26b on p. 112)



Fig. 6.27a Shear band development *m*  strongly foliated rocks, e.g. mylonites. (a) flattening produces conjugate low-angle shear bands which are approximately  $30^{\circ}$  to the mylonitic foliation;  $(b)$  simple shear geometry produces a single shear band orientationsometimes called an extensional crenulation cleavage. Shear bands are important indicators of the sense of shear in mylonitic rocks. (Fig. 6.27b on p. 112)

Note: The sense of shear is best determined using criteria 1,2,3,6 and 7. Criteria 4 and 5 need to be very carefully examined and many observations made before the sense of shear can be reliably ascertained. In addition to the mesoscopic fabric elements which allow determination of the sense of shear, microscopic analysis may also allow the sense of shear to be analysed. Shear zones or mylonitic foliations should therefore be sampled (oriented samples, section 2.7) for laboratory analysis.

## 6.9 Mapping shear zones

Where possible the factors listed in Table 6.6 should be measured and recorded.

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Table 6.6 Data to be collected from observations on shear zones.



Deformation processes.

## $7<sup>7</sup>$

## Table 6.6 Cont'd



(Additional data on orientation of structures outside shear zone). Orientation data on conjugate array. (Fig. 6.22)

Observations on conjugate array.

Stress systems. (Fig. 6.20a) Sense of shear. (Fig. 6.20a) Displacement. Strain in shear zone. Deformation processes.

Ductile shear zone



Orientation of shear zone boundaries (Figs. 6.21 & 2.5- $2.8$ ).

Orientation of foliations at shear zone boundaries. (Fig. 6.21) Orientation of lineations in shear zone (ML). (Figs. 2.11 to 2.14) Orientation/vergence of folds in shear zone. (Fig. 3.9) Strain of deformed objects across shear zone. (Appendix III)

(Additional data on orientation of structures outside shear zone).

Orientation data on conjugate array. (Fig. 6.22)

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Nature of shear zone. (Fig. 6.21a) Width of shear zone. Nature of foliation. (Figs. 4.1, 4.2) Sense of shear.(Figs. 6.21, 6.26,  $6.27)$ Displacement.

Nature of folds/vergence.  $(Fig. 3.9)$ 

Strain in deformed objects. (Appendix III) Photograph/sketch of shear zone. Structure outside shear zone.

Observations on conjugate array.  $(\text{Table 6.5})$ 

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Stress systems. (Fig. 6.21a) Strain distribution. Sense of shear. (Fig. 6.21a, 6.26,  $6.27)$ Displacement. Deformation processes.

Stress systems. (Fig. 6.21a) Strain distribution. Sense of shear. (Fig. 6.21a, 6.26,  $6.27)$ Displacement. Deformation processes.

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# 7 *Joints, veins and stylolites*

Joints arc regular arrangements of fractures along which there has been little or no movement. They are the most commonly developed brittle Structures. Veins are fractures infilled with remobilised minerals (e.g., quart? or carbonate). Stylolites surfaces of dissolution - are included in this Chapter because the development of tectonic stylolites is commonly associated with joint and vein development.

Measurements of the orientations of joints, veins and stylolites arc made using the techniques for planar structures, as outlined in Chapter 2. Careful observations arc needed in order to determine the type of joint, vein or stylolite, and in particular, to determine the relative age relationships between various joints, veins and stylolites.

## 7.1 Types of joints

Three basic types of joints are found (Fig. 7.1),

*Dilational joints* extensional joints with the fracture plane normal to the least principal stress  $\sigma_3$  during joint formation (Figs. 7.1a & b).

2 Shear joints often conjugate enclosing angles of  $60^{\circ}$  or more. The joint planes may show small amounts. of shcar displacement (Figs. 7.1c & d).

3 *Combined* shear and extension joints termed *bybrid* joints which show components of both extension and shear displacement (Figs. 7.1e & f).

*4 Irregular extension joints* are those in which extension occurs in all directions (often due to hydraulic fracturing as a result of high pore fluid pressurcs). This gives rise to irregular joint patterns (Fig. 7.1g).

Fig. 7.1 Joint types:  $(a)$  Dilational (extensional) joints. (b) Horizontal extensional joint system in sandstones joined by vertical crossjoints producing H and T intersection patterns.  $(c)$  Shear joints.  $(d)$  Conjugate shear joints  $(\mathbf{s})$ intersecting at 75° with coeval, planar, vertical extension joints (e) and joined by less regular cross-joints (c). (e) Hybrid joints-both dilational (extensional) and shear movement.  $(f)$  Massive volcanics with a set of hybrid joints that intersect at 44°, forming an X pattern. *(g)* Polygonal joint pattern in siltstones, indicating extension in all directions under hydrostatic stress conditions-high pore fluid pressures.





nybrid joint





If joints are planar, and parallel to sub-parallel so that they form sets, the joints are said to be systematic. Joints which can be traced tens and even hundreds of metres are termed *master joints*. Joints which are an order of magnitude smaller but still well-defined, are called *major joints*. Smaller joints occur at all scales down to microscopic.

The frequency of jointing is closely related to bed thickness and lithology- thinner beds have closely spaced joints, more competent beds tend to develop more widely spaced joints.

## *7.1.' Analysis afjoints*

1 Extension joints can be simply

analysed by plotting the trace of the joint plane and its pole on a stereographic projection. The direction of  $\sigma_3$  is the pole to the joint plane which contains the  $\sigma$ . and  $\sigma$ <sub>2</sub> axes (Fig. 7.2a). Extension ioints alone will not give  $\sigma_1$  and  $\sigma$ <sub>2</sub> orientations — other dynamic indicators such as vein fibre orientations are needed.

Shear joints commonly form conjugate arrays whose angle of intersection  $(\alpha)$  is greater than  $60^\circ$ . Plotting these on the stereographic projection (Fig. 7.2b) shows that the line of intersection of the planes is the  $\sigma_2$  axis.  $\sigma_1$ bisects the acute angle between the joint planes and  $\sigma_3$  is at 90° to both  $\sigma_1$  and  $\sigma_2$  (Fig. 7.2b).



Fig. 7.2 Dynamic (stress) analysis of joint systems: (a) Extension joints showing development 90° to  $\sigma_{3}$ ; (b) Shear joints showing that  $\sigma_1$  bisects the acute angle formed by the intersection of conjugate joint planes. The stereographic projections show the projections of the joint planes, the projections of the principal stress directions and the movement directions on the shear jointssolid half circle indicates hanging-wall down.



Fig. 7.3a Plume structures on a joint surface in glacial clays.



Fig.7.3b Rib marks on a joimed sandstone surface.

3 Age relationships between joints: younger joints generally ahutt against and do not cut older joints. Typically T or H patterns result (Fig. 7.1b) with the younger joint (the upright of the T or the cross-bar of the H) abutting against the older joints.

## 7.1.2 *Joint surfaces*

Surface markings on joints are com-

monly cither herringbone plumose marks (Fig. 7.3a) and are thought to indicate extensional joints (Ilancock, 1985) but the significance of rib marks (Fig. 7.3b) remains uncertain.

### 7.2 Joints in fold and fault systems

Joint systems are often arranged symmetrically in fold and fault systems. Here we briefly summarise typical joint patterns in folded rocks.

Cylindrical folds (Section 3.1) typically may exhibit the joint and mesoscale fault systems shown in Fig. 7.4. Extensional fracture systems arc commonly parallel or normal to the fold axis (Fig. 7.4a & b). Contractional structures such as small thrust faults and stylolites in a fold system are shown in Fig. 7.4c. Shear joint systems are commonly developed on the fold limbs.



## $(c)$

Fig. 7.4 Joint, fracture, minor fault patterns and stylolites developed in a cylindrical fold system (note that the tectonic axes  $a$ ,  $b$  and  $c$  vary around the fold): ( $a$ ) Extensional structures. Some joints are infilled with vein quartz.  $(b)$  Contractional structures.  $(c)$  Shear joints and fractures.

Non-cylindrical fold systems (Fig. 3.7) have a fracture architecture that is controlled by the variation of the stress system and hence slip direction around the fold. This is illustrated in Fig. 7.5a and an example shown in Fig. 7.5b.



S Shear joints

e Extension joints

Fig. 7.5a Fracture patterns developed around a non-cylindrical fold. Note that the conjugate shear fractures (s) and extension fractures (e) vary with slip direction around the fold.



Fig. 7.5b Example of a non-cylindrical fold in siltstones, showing development of shear fractures (s) and extension fractures (e).  $a - 1 - 1$ 

## 7.3 **Veins**

Many complex forms of veins arc found, but those which form regular arrays can be measured and analysed in a similar fashion to joints. Many veins contain growth fibres which record incremental movements as the vein formed. This aids the identification of vein systems which can be classified into extensional, shear and hybrid systems (similar to joints Fig. 7.1).

- 1 Extensional veins form normal to  $\sigma_3$  and have fibres perpendicular to the vein walls.
- 2 Shear or hybrid vein systems have fibres that are oblique to the vein walls (Fig. 7.6).
- 3 The fibre axis in fibrous veins is approximately parallel to the  $\sigma$ orientation at any stage during the fibre growth. Hence curved fibres in undeformed veins reflect the change in vein orientation with respect to the  $\sigma_3$  axis (Fig. 6.20).
- En-echelon vein systems (Fig. 6.20b) are commonly found in semi-brittle shear zones where they can be used to analyse the kinematics and displacements of the shear zones.

Veins indicate high, albeit tran\_ sient, pore fluid pressures during deformation and are commonly associated with pressure-solution seams (Fig. 7.6b). Vein orientations,



Fig. 7.6a Hybrid vein (shear and extensional components of movement) showing the development of fibrous quartz crystals as an infilling. 10 세 10 대 12 2 2 개



Fig. 7.6b Quartz veins in a sinistral shear zone showing characteristic sigmoidal shape and cut by dark pressure solution seams.

architecture and age relationships should be measured and analysed in a similar fashion to that described for joints, with the additional measurement and analysis of the *fihre orientation* in the vein system. Veins should be sampled if detailed structural studies arc being carried our. Analysis of fibre growth in veins will allow the displacement history to be determined (oriented samples are needed) and fluid inclusions in undeformed vein minerals will give important information on the temperature of formation of the vcins.

## **7.4 Stylolites**

Stylolites (Fig. 7.7) are surfaces of dissolution associated with contractional or shear strains (e.g. Fig. 7.4c). They indicate volume loss and may form parallel/sub-parallel to bedding during burial (compactional strains). Tectonic stylolites may form at high angles to bedding during folding, indicating a component of layer-parallel shortening.

Stylolites are commonly associated with joints and veins, and should be measured and analysed with them. They are found in many rock . types, including sandstones, and commonly occur in fine-grained carbonates. The stylolitic seam often appears dark and contains a residue of insoluble material (carbonaceous matter, clay and ore minerals) and in places, low-temperature metamorphic minerals.

The significant features of stylolites are described below.

1 Stylolite architecture is shown in Fig. 7.8. Many waveforms are possible and the amplitude of the waveform is a measure of the amount of dissolution across the stylolite surface.



Fig.7.7 Tectonic stylolite in limestone showing the development of a square waveform.

- 2 Stylolites generally form normal to  $\sigma_1$ , but oblique forms may have the relationship shown in Fig. 7.8f. Stylolites oblique to  $\sigma_1$ may form in zones of layer-parallel slip and occur together with vein accretion steps. These are termed slickolites and may be used to determine the direction of movement on the slip plane (Figs. 7.8g and 5.6).
- 3 Stylolitization is favoured by small grain sizes, as in micritic limestones.
- 4 Stylolites parallel to bedding commonly have very irregular surfaces which will tend to prevent bedding plane slip from occurring, i.e. they lock the bedding planes together.



Description and measurement of stylolite plane orientations and the orientation of the stylolite columns will give valuable information on the microstructural history of the out. crop.

## 7.5 Mapping joints, veins and stylolites

In areas of complex structure, joints are generally not represented on the geological map, but they may be measured and recorded in the field notebook for subsequent analysis. In folded rocks, joints are best analysed in areas of uniform dip, i.e. on fold limbs (Fig. 7.4), and where the geometric relationships to the fold hinge can be observed directly. As well as the orientation, type of joint, and age relationships, you need to measure the dip of bedding, fold axes and fold axial plane orientations, so that the reference frame of  $a$ ,  $b$  and  $c$  axes can be defined (Fig. 7.4).

Data that need to be collected for joint, vein or stylolite analysis are summarised in Table 7.1.

Fig. 7.8 Examples of stylolite architecture, showing its relationship to the  $\sigma_1$  direction. (a) sinusoidal waveform showing wavelength and amplitude; (b) saw-tooth waveform; (c) square waveform; (d) cuspate waveform; (e) irregular waveform;  $(f)$  oblique saw-tooth waveform with  $\sigma_1$  inclined to the stylolite plane; (g) slickolites showing the shearing along the stylolite plane to remove the asperities (bumps) by pressure solution and deposition of vein material in the hollows (see Fig. 5.6c).

Dip direction (or strike and dip) (Figs. 2.6 & 2.5). What to measur **Structure** 

For conjugate shear-fractures

Fracture type (dilational, shear, or

stress systems.

Results of analysis

to record

What observations

Data to be collected from observations on joints, veins and stylolites

Table 7.1



fracture array (if developed).

Dip direction of conjugate



atrays (Figs. 2.11-2.13).



 $30<sup>o</sup>$ 

information required for analysis. Additional

Line of bedding intersection on fracture plane (Figs. 2.11-2.13).

axial plane. Dip direction of bedding<br>(fractures are best analysed in<br>areas of uniform bedding). axis. Orientation of fold Orientation of fold

ength of fractures relative to bed Bedding and uniformity of Conjugate fracture system. 7.1) Fracture spacing. **Bed** thicknesses hybrid). (Fig. bedding dip. (Fig. 7.2) Line of intersection of conjugate

**JO** Nature of fracture infilling quartz; carbonate; fibrous Nature of fracture surface. hicknesses. Fig. 7.3) nassive).

History of fracture movement. Bed competencies.

Gives apparent dip of bedding. Used to calculate true bedding attitude. Analysis of fracture systems with respect to bedding and fold<br>imbs. (Figs. 7.4, 7.5)

Gives fracture systems: a-c, b-c, etc.

Relationships of fractures to fold.

Cylindrical (Fig. 7.4)<br>Non-cylindrical (Fig. 7.5)

Relationship of fracture to

bedding,  $(Figs. 7.4, 7.5)$ 

# 8 *PolYphase deformation*

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If an area has undergone only one deformation, producing cylindrical folds, then the poles to bedding are generally distributed in a great circle girdle (Fig. 3.2); minor fold axes show constant orientation parallel to major fold axes (Fig. 3.8); the bedding/cleavage intersection is constant and parallel to the major fold axis (Fig. 4.3); and cleavage is relatively constant (it may fan about the fold axial plane) and approximates to the axial plane of the fold (Fig. 4.3). Such an area is **structurally** homo*geneONI.* 

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For non-cylindrical folds (periclinal or conical folds produced by a single deformation, Figs. 3.6 & 7) we will find only parts of the map area that are structurally homogeneous. The axial planes of the folds (hence cleavages) will be relatively constant but the fold axes will show

systematic changes in their plunges (Fig. 3.6).

If the area has undergone more than one deformation, then the distribution of structural elements becomes more complex and the products of polyphase folding may be seen.

Polyphase folding is indicated by:

- 1 A wide distribution of bedding attitudes (away from simple great circle or conical patterns on the stereographic projection);
- 2 Fold interference patterns;
- 3 Folding of planar and linear structures that have been produced by earlier deformation;
- 4 Superposition of later fabrics on earlier fabrics (cleavages or schistosities).

Table 8.1 lists the terminology that is used in polyphase terranes.

**Table 8.1** Terminology used in polyphase terranes. (Note: Bedding is denoted  $S_0$ 

We have a state of the control of Deformation	Fold phase	Axial-planar foliation	Lineations (intersection of $S_n/S_{n-1}$
First deformation D.	F		$L_1(S_1/S_0)$ .
Second deformation a complete the state of the state of the state of the			$L_2(S_2/S_1)$ . $L_0^2(S_2/S_0)$ .
The term of the second control of the second			
Third deformation $D_{1}$	F, de a		$L_3(S_3/S_2)$
<b>Light</b> a providence of the			$L_0^3(S_3/S_0)$
$2 - 122 - 125$		ras.	$L_1^3(S_3/S_1)$ .

#### 8.1 Fold interference patterns

Polyphase deformation is recognised by the interference patterns produced in outcrops. Ramsay (1967) has recognised three basic end-members of a continuous series of fold interference patterns (Fig. 8.1) for two phases of folding,  $F_1$  and  $F_2$ .

*Type 1* - 'Egg box' or 'dome and basin' pattern. This pattcrn arises when both  $F_1$  and  $F_2$  fold axes and axial planes are orthogonal or at high angles to each other. The F<sub>1</sub> axial *planes remain unfolded* (Figs. 8.1a and 8.2a).

*Type 2*—'Mushroom' pattern. In this pattern some of the fold closures are attached to 'stalks', unlike the completely closed forms of Type 1. This occurs when the  $F_1$  and  $F_2$  fold axes and axial planes arc *not* at a high angle to each other and the  $F_1$  and  $F_2$ axes are *not* coaxial. The F<sub>1</sub> fold axial *plane.; are folded.* ( Fig. *8.1b, 8.2h) Type* 3- Refolded fold pattern *where the folding is coaxial* but the  $F_1$  and  $F_2$ *axial planes* are at a high angle. F<sub>1</sub> *fold axial plants are folded. ( Fig. 8.1c, S.2e)* 

In many cases fold interference patterns are not obvious but are only revealed by detailed outcrop mapping.

## 8.2 Lineations in polyphase terranes

Polyphase deformation is characterised by a wide variation in the orientation of linear structures.

For two phases of folding,  $F_1$  and  $F<sub>2</sub>$ , the following are found:

## *8.2.1 F2 fold axes*

The orientation of the  $F<sub>2</sub>$  fold axes will depend upon the orientation of the  $F_1$  fold limbs.

- 1 If the F<sub>1</sub> folds were *isoclinal* then the  $F_2$  fold axes would be relatively constant.
- 2 If the F<sub>1</sub> folds were *not* isoclinal than  $F_2$  fold axes would vary according to the orientation of F. fold limbs. In many cases the  $F_2$ folds are of smaller wavelength than the earlier F, folds, and here the  $F<sub>2</sub>$  axes will define domains of constant  $F_2$  orientation corresponding to particular limbs of the  $F_1$  fold, and hence enable the location of the  $F_1$  fold hinge lines to be established (Fig. 8.3).

Although you should expect significant variations in F*z* fold axis orientations, the F<sub>2</sub> axial planes will be  $relatively constant in their orientation.$ 

## 8.2.2 Deformation by F<sub>2</sub> similar */oiding*

In F*z* similar folding the movemem may be thought of as taking place in the 'a<sub>2</sub>' movement direction in the 'a<sub>2</sub>-b<sub>2</sub>' planes which are parallel to the axial plane of the F*z* fold. Thus, when a planar surface containing an  $L_1$  lineation is affected by an F<sub>2</sub> similar.fold (Fig. 8.4), the lineation  $L_1$  remains in a plane, the orientation of which is controlled by the *'az'* direction and the original orientation of the lineation  $L_1$ . The angle between the First Phase<br>Folds

Resultant Polyphase FoldSurface Map Pattern on<br>Horizontal Surface





Second Phase Folds



patlem

(b) Type 2







'Mushroom Pattern'

 $(C)$ 







Refolded Folds

. .. ..

Fig. 8.1 Fold interference patterns: (a) Type 1 patterns are formed by superposition of two orthogonal fold sets and produce a dome and basin pattern on a horizontal map surface;  $(b)$  Type 2 patterns produced by the superposition of a *non-roaxial* second upright fold set upon an inclined first-phase fold pattern. Mushroom style patterns are produced on a horizontal map surface;  $(c)$ Type 3 patterns produced by coaxial refolding of an inclined first-phase fold by an upright secondphase fold. Refolded folds are produced on a horizontal map surface.



Fig. 8.2a Type 1 'dome and basin' fold interference pattern in polydeformed psammites.

Fig. 8.2h Type 2 'mushroom style' interference pattern in polydeformed psammiccs. Field of view *ca*. 50 cm.



Fig. 8.2c Type 3 refolded fold interference patterns in polydeformed psammites.

(a) Flat-lying F<sub>1</sub> Fold



 $F_1$  fold axis (before  $F_2$  folding)

Fig. 8.3 The orientation of the second-phase fold axes  $(F<sub>2</sub>)$  controlled by the orientation of the first-phase fold limbs. The stereographic projection shows the plot of the second-phase fold axes  $F_2$  (crosses) as a result of the intersection of the second-phase fold (F<sub>2</sub>) axial plane and the first-phase fold limbs. Note that the poles to bedding  $(\pi$  plots) define two great circles-the poles to which correspond to the locations of minor fold axes.

 $F_{2}$  fold axes axes<br>(lower<br>limb) deformed lineation and the similar fold axis varies systematically over the fold hinge (Fig. 8.4). Because the deformed lineation remains in a  $plane$ , it will be redistributed about a great circle in the stereographic pro. jection (Fig. 8.4). This can be recog. nised *in the field* by placing your map board on the deformed lineation and attempting to line up the other parts of the lineation within the plane of the board  $\text{if they can be aligned}$ then the lineations lie in a plane, and hence the redistribution was generated by similar style folding.

## 8.2.3 Deformation by  $F<sub>2</sub>$  *flexural slip /oftling*

Tn this case the orientation of the lineation  $L_1$  changes as the layers slide over one another (folding is parallel but the lineation retains a constant angle to the  $F<sub>2</sub>$  fold axis, see Fig. 8.5). Hence the lineation will adopt a curved form and plot as small circles on the stereographic projection (Fig.  $8.5$ ). (Note that the two cases described above arc end· members of a spectrum of fold mech· anisms, see Ramsay (1967) for a full discussion.)

#### 8.3 Sub-areas

In a mapping area where polyphase deformation exists, the subdivision into *structurally homogeneous sub-areas* is *essential* in order to analyse the overall structure. Mapping should always be carried out with this in



Fig. 8.4  $F_2$  similar style folding, redistributing an earlier  $L_1$  intersection lineation.  $L_1$  remains in a plane that contains the second-phase movement axis  $a_2$ . The stereographic projection shows the distribution of  $S_0$  (solid circles) by  $F_2$  and the redistribution of  $L_1$  (crosses) in a great circle. The tectonic axes  $a_2$ ,  $b_2$  and  $c_2$  for the second deformation are also shown.

mind, and you should attempt to divide your area into structurally homogeneous sub·areas *whilst in the field*. Only then can you seek out key exposures to confirm or disprove your interpretation.

*Analysis of sfmc/llral data u.ring the*  stereographic projection alone is inad*equate in areas of polyphase deformation because this method does not take into account the geogrophic locotion of structllres.* 

Division of a mapping area into structurally homogeneous sub-areas is based upon defining the following:

- 1 Areas where there is a constant orientation of a particular generation of lineation (Fig. 8.6);
- 2 Areas where there is a constant orientation of a particular foliation plane;





- 3 Areas where there is a constant fold axis orientation,  $F_1$  or  $F_2$  etc. (Fig. 8.6);
- 4 Areas distinguished by the axial surfaces of the various fold structures, i.e. vergence boundaries.

Sub-areas can be determined by inspection from a map, i.c. recognition of interference patterns and changes in lineation orientations (Fig.  $8.6$ ). They can be analysed by careful plotting of data on the stereographic projection, taking great carc to distinguish the *geographic location*  of the data on the stereographic projection.

### 8.4 Mapping polyphase terranes

When mapping in terranes that show evidence of polyphase deformation the following procedure should be adopted.

- 1 Identify and describe the fold styles and collect data as described in chapter 3 and Tahle 3.4. 1n particular examine outcrops for evidence of interference patterns (Figs. 8.1 and 8.2) and overprinting relationships; examine fold hinges to determine cylindricity (Fig. 3.7) and to see if lineations are folded around the fold hinges. The style of folding and of interference relationships will usually be reflected in the outcrop patterns on your map and in your cross·section (sec 9.2).
- 2 Observe the cleavages present in

the outcrops and collect the appropriate data (Tables 4.1 and 4.2). In particular look for super. position of cleavages and foliages and record age relationships (younger cleavages cut older cleavages). Map and record the orientations of the cleavages foliations throughout the map area.

- 3 Observe, map and record the structural relationships (Tahles 5.1 -5.3) of thc lineations developed in the map area. In particular distinguish between intersection lineations parallel to fold axes and mineral stretching lineations often at high angles to the fold axes. Identify lineations associated with particular fold phases.
	- Map out lithological boundaries to determine whether interference patterns (Pigs. 8.1 and 8.2) are developed.
- 5 Identify sub-areas in the field. In particular the orientation of intersection lineations (parallel to fold axes) is most often used to define sub-areas (Fig. 8.6) hence you must systematically map and record lineation data in your map area.

Table 8.2 summarises the structural data to be collected in polyphase ter· ranes when two major phases of folding are present. If more than two deformation phases can be rccognised then structural data for the subsequent foliations  $(S_3, S_4, etc.),$ lineations  $(L<sub>3</sub>, L<sub>4</sub>$  etc.) and minor folds must also be collected.



Fig. 8.6 Map of sandstones and slates showing polyphase folding. Sub-areas are identified using uniformity of the plunge of F, minor fold axes and the  $L_1$  bedding/cleavage intersection lineations (generated by  $F_1$  folding). Note that the sub-area boundaries define the traces of the  $F_2$  fold axial surfaces.

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# 9 *First steps In overall interpretation and analysis*

This chapter is a brief intro duction to the interpretation and analysis of field maps, of field structu r al observati o ns and orientation data. The construction of cross-sections and report writing are reviewed. Throu g this Handbook emphasis has been p laced upon:

( 1) accurate and detailed *description*  of structures;

(2) accurate *measurement* of st ructures;

*(3 ) identification of structural style* - often reflected in the minor structures (Table 1.1, sections 3.9) and 8.4).

During your mapping prog ramme, whilst still in the field, you must always carry out an on*going interpretation of your map and structural data,* and *construct draft (preliminary) cross-sections. '*  These will enab le you to identify key problem areas and collect additio n al information necessary for a more precise interpretation.<br>9.1 Map patterns and map

# interpretat ion

Your geological field map and field no tebo ok contain the essent ial data

upon which the structural interpretation is based. When you have mapped a significant part of your area you shou ld begin your interpretat i on and analysis usi ng the following procedure ( nore that the interpretation should be continuously updated and modified whilst you are in the field) -

1 In the field, plot onto your topograph ic base map all of the out crop localities and t he appropriate structural data. Th is may involve plotting from aerial ph otograph overlays uSing the correction techniques outlined by Barnes (1981). This field map should be an *outcrop map* that also shows boundaries observed in the field (Fig. 9 .1a). This and the notebook are critical as they allow you to assess the geological data base - how much exposure, where, and what stru ctural data have been measured.

*Plot on your field map the axial surface traces of major folds, the*  plunges of major folds (derived from stereographic analysis -Fig. 3.2) and plot the *major faults* (Fig.9.1a).

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- 2 Construct a *contact or boundary map* (F ig. 9.2b) by extrapolating observed boundaries and interpreting your field map. This should take into account the structural sty le of the area (sections 3.9. 8.4 and Tab le 1. 1 ). If a cleavage or cleavages are developed you sho uld construct a *cleavage or* S *surface map*  (in this example, Fig. 9.1c — the cleavage map has been combined with a lineation map) that shows cleavage orientation e.g.  $S_1$ ,  $S_2$ . This kind of map is extremely useful in polyphase terrancs as it will indicate refolding of earlier cleavages, rotation by shear zones and orientations of the fold axial surfaces.
- 4 Construct a *lineation map* (in Fig. 9.1c cleavage and lineation maps arc combined) which s hows the distribution of linear structures *- minor fold axes, intersection lineations and mineral stretching*  lineations. This is essential in areas of polyphase folding in order to establish structurally homogeneous *sub-areas*  (sec section 8.3 and Fig. 8.6).
- 5 Construct a *summary structural map* (Fig. 9.1d) on which the major faults and folds are extracted from the field map and plotted on a transparent overlay. This often aids interpretation and allows the fault and fo ld systems to be analysed (see c hapters 3 and 6 ).
- 6 In areas where more than one phase of deformation has been identi fied, *sub-areas*  s hou ld be

identified and their boundaries plotted On the contact of boundary map. Analysis of orientation data from structurally homogeneous sub-areas (section 8.3) will allow major fold plunges to be plotted on the map.

7 Construct preliminary cross $section(s)$  (e.g. Fig. 9.1e) using the techniques oudined in section 9.2 below.

*Map interpretation and cross section construction are inter active processes that must be carried out together.* 

Note: (a) Topographic effects on the outcrop pattern must always be taken into account. For example Fig. 9.2 shows the effects of topography on the location of fold axial traces, particularly for plungi ng folds where the axial trace is located upslope away<br>from the position of maximum curvature in the outcrop pattern (Fig.  $9.2f$ ).

(b) The idealized fold interference patterns shown in Fig. 8.1 are for both sets of folds having the same *wavelength* and *amplitude.*  T h is is often *not* the case and commonly the second set of folds will be smaller in wavelength and amplitude than the first set. Thus the interference patterns will be modified from the textbook case as shown in Fig. 8. 1. e c) **In** areas where direct measurement of the orientations of large planar features such as faults, unconform ities and planar contacts are not possible, enable the strike and dip to be determined (Fig. 9.3) and hence provide



Fig. 9.1b Boundary or contact map constructed by interpreting Fig. 9.1a above. Stratigraphic contacts and structural features have been extrapolated between outcrops. Legend and symbols are the same as in Fig. 9.1a.



Fig. 9.1c Cleavage and lineation map constructed from Fig. 9.1a. Lines indicating the trend and dip of the cleavage are shown together with arrows indicating the plunges of the bedding/cleavage intersection lineation L<sub>1</sub>. cleavage and lineations are almost exclusively developed in the phyllites and the shale units (Figs 9.1a and 9.1b).





Fig. 9.1e Preliminary cross-section along A-B (Fig. 9.1b). Cleavages and fault movements are shown. Legend is the same as Fig. 9.1a.

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valuable data for the construction of cross-sections.

#### Cross-sections  $92$

Cross-sections are an essential part of a structural synthesis. During mapping sketch cross-sections (approximately scaled) should be drawn in your field notebook (Fig. 9.4), and preliminary, correctly scaled cross-sections along traverses. etc. should be made as part of an on-going interpretation. All crosssections should show the form lines of all structural features S<sub>0</sub>, S<sub>1</sub>, S<sub>2</sub> etc (e.g. Fig. 9.1e).

The cross-sections representing the final interpretation for your report should be drawn with as much care, and have as much detail as your map. They should be constructed using the following procedure —

Determine the structural grain in vour area - is there a dominant set of folds or a dominant set of faults - e.g. one major direction of thrusting? If folds are the dominant structures determine the plunges of the major folds (stereographic analysis - Fig. 3.2). If thrust or normal faulting is the major feature determine the direction of  $slip$  - i.e. the movement direction (see section 6.2). Always carefully locate your line(s) of section so that they are  $-(a)$  perpendicular to the plunge of the major folds; or (b) parallel to the slip direction of the major faults (ie. parallel to the direction of tectonic transport).

In some polyphase terranes where there is more than one direction of major folding, it may be appropriate to construct additional cross-sections perpendicular to the axes of the

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Fig. 9.2 Outcrop patterns of folds, showing the effects of topography on the map patterns: (a) horizontal upright fold in the profile plane;  $(b)$  horizontal upright fold exposed on a horizontal surface; (c) horizontal upright fold in cross-section in an area of topographic relief;  $(d)$ horizontal upright fold exposed in an area of topographic relief; (e) plunging upright fold exposed on a horizontal plane surface;  $(f)$  plunging upright fold exposed in an area of topographic relief. Note the displacement of the fold axial trace upslope from the surface closure on the map. (Adapted from Ragan, 1985 and reproduced with permission.)

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Fig. 9.3 Construction of structure contours and determination of the dip and strike of a planar structure. The map shows the outcrop of a thrust plane in an area of topographic relief. Structure contours for the thrust plane are constructed by joining points where the thrust plane intersects a particular topographic contour e.g. 700 metres. The 700 metre structure contour (dashed line) defines the strike of the thrust plane at 700 metres elevation in this area. On the cross-section X-Y the topographic surface is plotted and the outcrop of the thrust plane T is marked. The structure contours for the thrust plane intersect the line of cross section (X-Y) in the points A, B, C, and D and these are plotted on the cross-section to define the thrust plane. The strike of the thrust plane is given by the angle between north and the strike of the structure contours  $\beta = 18^{\circ}$ , and the dip can be calculated from the cross section - angle of dip = tan 0.5 = 266°. Strike of the thrust plane is 018° north east and dip is 26.6° (i.e. 27°) south east.

other fold sets. In areas of complex extensional or thrust faulting it may be appropriate to draw cross-sections parallel to the strike of the major structures i.e. perpendicular to the tectonic transport direction in order to highlight along strike variations.

2 Always draw your crosssection(s) through areas on your map that contain good structural and lithological data (i.e. not through large patches of unexposed geology). Data off the line of section should be

projected down plunge (see 9.2.2 and Fig. 9.6) into the plane of the cross-section with corrections for apparent dip (Appendix I) and for thickness changes (Appendix II).

- Always draw cross-sections with  $\overline{\mathbf{3}}$ the horizontal and vertical scales equal. Where possible they should be at the same scale as the map but in some cases they may need to be enlarged to illustrate complex structures.
- Plot all S surfaces  $(S_0, S_1, S_2$  etc.)  $\overline{4}$ on the cross-section. Mark on the movement directions of all faults.



Fig. 9.4 Field Sketch cross-section through folded pelites and pasmmites. Note the form lines for bedding  $(S_0)$ , and cleavages  $(S_1 \text{ and } S_2)$ . Horizontal and vertical scales are approximately equal.

- 5 Plot younging, vergence and facing directions on crosssections.
- Draw your cross-sections to reflect the structural style of the area (see Table 1.1, sections 3.9 and 8.4). The structural style is often reflected in the minor or mesoscale structures in outcrop.
- $\overline{7}$ Where possible sections should be balanced (Dahlstrom, 1969)section 9.2.3. Section see balancing is not always possible but should always be considered.

#### $9.2.1$ Vertical cross-sections

Vertical cross-sections are the most commonly constructed crosssection. In areas where the folds are non-plunging these structure sections give profile views of the folds, however, in areas of plunging folds vertical structure sections give distorted views of the folds. In this case down plunge projections are required to give inclined structure sections normal to the fold axis - i.e. in the profile plane of the folds.

For an area with non-plunging folds (Fig. 9.5), the line of crosssection is positioned perpendicular to the trend of the fold axes where there is relatively abundant orientation information and fold structures of interest. Once the line of section has been chosen. A-A' on Figure 9.5, a topographic profile is constructed at

the same scale as the map using the elevation control from contour lines. The formation contacts and their dips are marked on the profile and orientation data (strike and dip) are projected onto the line of section, using apparent dips where necessary (Appendix 1). The cross-section is then constructed taking into account the observed structural style in the field — e.g. parallel folding (constant bed thickness) or similar style folding. Form lines of other S surfaces  $(S_1, S_2$  etc.) as well as bedding and formation contacts should be plotted on the section (Fig. 9.4).

#### 922 Inclined structure sections

Where the folds are plunging, crosssections should be constructed

normal to the fold axis - i.e. in the profile plane of the fold. These are inclined structure sections. The following steps should be taken for constructing inclined structure sections in which the orientation and boundary data are projected down the plunge of the fold:

(1) Determine the trend and plunge of the fold axis usually using a  $\pi$ pole diagram.

(2) Draw the line of section on the map at 90° to the plunge of the fold axis i.e. line  $X-\hat{Y}$ . (Fig. 9.6). The section plane will be orientated at 90° to the fold axis.

(3) If there is little or no topography then individual points can be projected onto the plane of



Fig. 9.5 Construction of a cross-section through non-plunging folds. Topographic contours are projected onto the line of section to construct the topographic profile. The bedding dip angles are then projected onto the topographic profile, and the section is constructed (in this case assuming a near chevron fold style and constant bed thickness). Horizontal scale equals vertical scale.

#### the cross-section  $-$  using the formula:

 $di = dm$  (sin  $\alpha$ ) (Fig. 9.6c), where *di* is the distance down the inclined plane,  $dm =$  map distance and  $\alpha =$ plungc of the fold axis. This projection is carried out for each point e.g. point P to P' on the map until a down plunge projection of

the fold is constructed (Fig. 9.6d). (4) If there is appreciable topography (Fig. 9.6e) then structure contours must be drawn for the line of section on the map and also on the inclined structure section (Fig. 9.6e). Then the above formula (Fig. 9.6c) can be applied using the distance *dm* as the



(a) Map view of the plunging fold on a horizontal surface. The line of cross-section X-Y is drawn at 90" to the fold plunge. (b) 3D view of the plunging fold showing the profile plane (containing the section line X-Y) and showing the projection of point P on the map to point P' on the cross-section (profile) plane.  $d_m$  is the distance (parallel to the fold plunge) on the map plane between point P and the line of cross-section. (c) Geometric contruction to calculate the distance  $d_1$ , by which P must be projected down the cross-section plane to point P'. (d) Resultant down-plunge projection of the fold in the plane of cross-section that is 90° to the fold hinge line. (e) 3D view of the projection of point P from a surface with topographic relief. Structure contours of the cross-section plane are drawn on both the map and the projection plane. Point P is projected to P' by calculating the distance,  $d_m$ , from P at 1800 m on the map to the profile plane at 1800m, and then using the calculation in (c).

distance between the map point at a .particular elevation and the structure contour on the inclined structure section at the same elevation (Fig. 9.6e). The distance *di* is then projected down thc section plane and the cross-section constructed as before.

Once a down plunge projection has been constructed the true profile section is revealed. The cross-section can be balanced or dip isogons can be constructed.

### *9.2.3 Ba/anced cross-sections*

Balanced cross-sections are generally<br>constructed for deformed constructed sedimentary sequences where the stratigraphy is known and well developed - for example foreland fold and thrust belts. In high grade terranes and polyphase deformation with penetrative foliations the construction of balanced sections is difficult if not impossible.

*Basic assumptions for balancing (rOJJ-sec/ions* 

(l) Sections are constructed perpendicular to the fold axes  $$ i.e. down-plunge projections.

(2) Sections are constructed parallel to the tectonic transport direction.

(3) We assume no *voLume loss* (or gain) during deformation.

 $(4)$  We assume that there is little elongation or contraction in thc strike direction - perpendicular

to the tectonic transport direction

 $-i.e.$  no movement in or out of the plane of the cross-section.

As a corollary we assume that there is a state of 2D plane strain in the section parallel to the tectonic transport direction.

(5) The area of the deformed section is the same as the undeformed area - i.e. no area change.

The nett result is a geometrically feasible cross-section that is restorable. The restored section shows the original stratigraphy and the fault trajectories.

There are two basic methods of drawing balanced cross-sections: (a) assuming *constant Line length,* and (b) assuming *constant area.* In areas where *parallel folding* occurs e.g. flexural slip folding - constant bed thickness then we use *line length balancing.* In areas where there are *similar* style folds and *cleaved* rocks we use *area balancing.* 

The simplest case of section balancing, *line length balancing,* can be attempted in camp. To measure constant line lengths we can use either a piece of string or a curvimeter  $(Fig. 9.7)$  — we assume constant bed thickness.

In order to construct a balanced section we need to:

(1) Assemble the field data on the topographic profile for the crosssection - projecting data in the plane of the cross-section where required (Fig. 9.8a) (the line of section should be normal to the



Fig. 9.7 Curvimeter for measuring line lengths on maps and cross-sections.

fold plunge of the major structures);

(2) Determine the stratigraphic thicknesses in the area and construct a stratigraphic template (Fig.9.8b).

 $(3)$  Establish a *pin line* - where there is no interbcd slip and the beds are pinned together. The pin *line* is usually located in the foreland (Fig. 9.8b), where there is no deformation, or on the axial surface of the anticline.

*(4) Measure away from the pin line*  producing a restored section at the same time as constructing the balanced section. The restored section should have *no gaps or overlaps* and the fault trajectories should be reasonable (Fig. 9.8c). For staircase fault geometries the *ramp angles* of faults should be less than or equal to 30°. The cross\_ section should end on a pin line as shown in Fig. 9.8c.

### 9.3 Report writing

An essential element of the structural mapping programme is writing a report that communicates the results of your mapping and analysis in a clear, unambiguous and concise fashion. Before you leave the field ensure that you have, in addition to descriptions and interpretations of the stratigraphy, sedimentology metamorphism and igneous rocks, the following:

- 1 Descriptions of the major structural features — folds and fault patterns.
- 2 Descriptions of each of the structural elements and of their geographic distributions - e.g.  $S_0$ ,  $S_1$ ,  $S_2$  etc.,  $L_1$ ,  $L_2$  etc. and minor structures - folds and faults; in some cases additional maps (e.g. Fig. 9.1) may be required.
- 3 The relative ages of structures based upon superposition and interference relationships.
- Justification for the division of the map area into sub-areas of structural homogeneity (Section 8.3).
- 5 Relationships between deformation and metamorphism; in particular descriptions of metamorphic minerals and their relationships to tectonic fabrics and of fault rocks (see Fry, 1984).



Fig. 9.8 Construction of a balanced cross-section through a simple fold-thrust structure. (a) Field data is plotted on the topographic profile (using down plunge projections (Fig. 9.6) and apparemdips (Appendix 1) where required). Beddingdips, lithological and tectonic boundaries are shown together with the location of a measured section used to determine stratigraphic thicknesses.

(b) Balanced section constructed at the same time as the restored section - Fig. 9.8c. The stratigraphic template - Fig. 9.8c, was based on the measured section (Fig. 9,8a). The section has been balanced using *line length balancing* and the assumptions outlined in the text (section 9.2.3). The *from pin linc* has becn placed in the undeformcd foreland and the *end pin line* has been placed in a convenient segment of stratigraphy at the western end of the section. Faults have bcen projected to depth using their surface dips.

(c) Restored section on the statigraphic template. The thrust fault trajectories and the front and end pin lines are shown.

- 6 Relationships regional to structures and a synthesis of the structural evolution of the area.
- 7 Stress and strain analysis based upon measurements of fracture patterns and deformed objects.
- 8 Kinematic analysis tectonic transport directions and structural evolution (e.g. dominant movement patterns of thrust faults etc.).

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Your report should be fully illustrated with maps, stratigraphic columns, cross-sections. fully annotated diagrams and photographs. Good luck!

References and further reading

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# Appendix I



Control of the Samuel

Fig. I.1 A nomogram for determining the true dip from an apparent dip and vice versa. Example: on a cross-section the beds have an apparent dip of 40° and the line of the cross-section is at 30° to the strike of the beds (as seen on the map) - on the nomogram mark off the difference in strike (30°) and the angle of apparent dip (40°), and then draw a straight line through these points to give the true dip-57°.

# Appendix II

# Appendix III *5 train measurements*

APPARENT DIP VALUES (Solid lines) AND THICKNESS EXAGGERATION FACTOR FOR SECTIONS AT AN ANGLE TO TRUE DIP DIRECTION APPARENT DIP  $80^\circ$ 10'  $85^\circ$  $75^\circ$  $65^\circ$  $45^\circ$  $55^\circ$  $70^\circ$  $20^{\circ}$ ANGLE BETWEEN SECTION & DIP DIRECTION  $60^\circ$  $50^\circ$  $1.1 \oplus$  $40^\circ$  $30^\circ$  $30^\circ$ -<br>1∙25 H<br>5  $35^\circ$  $25$  $40^\circ$ + 5<br>EXAGGEI  $20^{\circ}$  $15^\circ$  $50^\circ$ E<sub>5</sub>S  $\frac{1}{2}$  $10^\circ$ 60° \-\ "",, .. +-2'5 " I-  $5^\circ$  $70^\circ$ '-c ·"'\-TC" .... 3-0 4-0 5-0 7-0  $80^\circ$  $t=1,2,\ldots$  , and  $t=1,2,\ldots$  $20^\circ$  $30^\circ$  $40^\circ$  $50^\circ$  $60^\circ$  $RO<sup>o</sup>$  $10^\circ$  $70^\circ$ ANGLE BETWEEN TRUE DIP VALUE CROSS-SECTION AND TRUE DIP 45° DIP DIRECTION 60°

Fig. II.1 A graph to determine the apparent dip angles (solid curved lines) and the thickness exaggerations (dashed curved lines) for bedding in cross-sections which are constructed at an angle to the true dip direction (i.e. not a't 90· to the srrike). Example: fot bedding with a true dip of 45" and for a cross-section oriented at  $60^\circ$  to the dip direction; from the graph the apparent dip is  $27^\circ$ and the thickness of bedding will be  $1.275 \times$ , the true thickness.

Guidelines for identifying and measuring the state of strain in outcrops or hand specimens arc briefly outlined. Finite strain determinations in rocks may be achieved by measuring the distortions in a variety of markers for which the predeformation geometry is known, e.g. ooliths, fossils and pebbles.

The main types of strain markers arc:

- 1 Initially *spherical* objects-e.g. ooliths, accretionary lapilli, reduction spots.
- 2 Initially *ellipsoidal* objects e.g. pebbles or sedimentary grains.
- 3 Known initial angles between lines-e.g. fossils with known angular relationships, trilobites, graptOlites, brachiopods etc.
- 4 Known initial lengths or ratios of lengths of lines, e.g. belemnites, crinoid stems, boudin structures.

Strain determinations may be made using:

*(a)* direct measurement in the  $field$   $-$ i.e. axial ratios of deformed pebhles.

(b) photographing deformed objects and then analysing the photographs in the laboratory.

*(c)* collecting oriented samples

and then analysing these in the laboratory.

Comprehensive accounts of the laboratory techniques for finite strain determination in rocks are given in Ramsay and Huber (1983) and Ragan (1985). Any geologist wishing to carry Out detailed strain analyses must be familiar with these texts before commencing fieldwork.

### *InitiallY spherical or elliptical strain markers*

If you can identify the principal planes of finite strain (XY, XZ, YZ  $plane - Fig. III.1)$  in the field, then direct measurement of deformed objects in these planes will allow you to estimate the finite strain. For example, it is generally accepted that, as a first approximation, the foliation or slaty cleavage is parallel to the XY plane of the finite strain ellipsoid, then measurement of the axial ratios of deformed reduction spots (Fig. III.2a) in the cleavage plane and on a joint plane normal to the cleavage (Fig. III.2b) will allow the axial ratios of the finite strain ellipsoid to be calculated in the held (Fig. 11l.2c).

Similarly you may determine the deformation of pebbles in a con-

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Fig. III.1 The strain ellipsoid. The principal strain directions are  $X-$  the long axis,  $Y$ the intermedinc: axis and Z the short axis. The planes containing these axes are called principal planes - i.e. the cleavage plane approximates to the XY plane of the finite strain ellipsoid.



Fig. III.2a Natural strain ellipse of a deformed reduction spot on the cleavage plane of a slate (i.e. the XY plane of the finite strain ellipsoid).

glomerate by measuring (in the field) their axial ratios on the cleavage/ foliation plane, and on joints as close as possible to other principal planes of finite strain. Deformed pebbles, ooliths etc. may not have been initially spherical, therefore you need to photograph or sample the exposure in order to make accurate strain determinations in the laboratory.

#### *Initially cylindrical strain markers*

In most cases cylindrical markers cannot be successfully used for strain



Fig. III.2b Deformed reduction spots on a joint plane in slate. The joint plane is 90° to the slaty cleavage plane and parallel to the long axis of the finite strain ellipsoid: i.e. it is the XZ plane of the finite strain ellipsoid.



Fig. III.2c Determination of the finite strain ellipsoid from measurements on the deformed reduction spots in Figs. III.2a & b. In Fig. III.2a the ratio  $X/Y$  is 2.0:1, whereas in Fig. III.2b the ratio  $X/Z$  has an average of 5.75:1. Therefore the ratio *Y/Z* can be calculated as  $5.75/2.0 = 2.875:1,$  -therefore  $X : Y : Z =$  $2.0:1:0:0.348$ . These ratios are plotted on a Flinn diagram of  $X/Y$  versus  $Y/Z$  which shows the field of flattening and the field of constriction (assuming no volume changes in the rock). The straight line between these two fields indicates a condition of plane strain where  $X = 1/Z$  and there is no change in the length of the Y strain axis.

measurements except in the case of *'Skolithos'* or *'Monocraterion'* worm burrows in quartzites. In undeformed sediments these are circular in plan on the bedding plane and the long axis of the burrow is usually 90° to the bedding. Upon deformation, the worm tubes become elliptical in the bedding plane-thus allowing measurement of layer-parallel shortening in the bedding (Fig. III.3a). This *axial ratio* can be measured directly in the field, together with the orientation of the long axis of the strain ellipse and the axes of the worm tubes which have become sheared in the bedding (Fig. II1.3b) thus allowing the determination of *angular shearing strain.* 

#### *Known anglliar relationships*

Por single fossil forms the angular shear strain ean he calculated from deformed angular relationships (Fig. 111.4) e.g. deformed brachiopods, bivalves, graptolites etc. For lines initially at 90° and now at an angle *<p* the angular shear strain *y* is calculated as  $\gamma = \tan(90 - \varphi)$ .

#### *Known initial length of lines*

Boudin structures or deformed fossils such as belemnites (Fig. III.5) can be easily measured to calculate the amount of extension in the plane of the structure. The strain ratio is simply *(final length- inilial length)/ (initial length).* Measurements can be made in the field or samples collected for laboratory analysis. Note however, that the strain measured is



Table III.1 Data to be collected for finite strain determinations.

**STRAIN MARKER** 

 $\Lambda$ INITIALLY SPHERICAL OBJECTS Ooliths, pisoliths, accretionary lapillae, concretions, reduction spots, spherical fossils.

#### METHOD 1. DIRECT FIELD MEASUREMENT

 $1.1$ Orientation of the principal planes of the finite strain ellipsoid-cleavage plane = XY plane, plus 2 orthogonal joint sets if possible. Measure orientations of the axes of the ellipses in these planes. (Figs. III.1, III.2)

**MEASUREMENTS** 

- Measurement of axial ratios of deformed  $1.2$ ellipses on each principal plane.
- For deformed objects lying in the bedding plane measure the orientation of bedding, bedding/cleavage intersection and the ellipse ratios in the bedding plane. Trace of cleavage defines the trace of the XY plane of the finite strain ellipsoid.

### METHOD 2. PHOTOGRAPHING THE **DEFORMED OBJECTS**

2.1 Measure orientations as in 1.1. 2.2 Mark and measure orientation of a reference. line in each plane to be photographed-then photograph. Be sure to record all data in your field notebook.

METHODS OF ANALYSIS AND **RESULTS** (See Ramsay and Huber 1983)

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 $(a)$ 

Combine data from the XY, YZ and XZ planes to obtain the final ellipsoid ratio X:Y:Z. Note: often it will only be possible to measure the strain accurately in one principal plane, e.g. the cleavage-XY plane. Plot strain ellipses on map and crosssection.

Analyse photograph in laboratory, using centre-centre, Fry method or Rf/ø technique (objects not usually perfectly spherical). Combine strain data from the three principal planes, as in METHOD 1.

Table III.1-(Cont'd on next page)

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#### **STRAIN MARKER**

#### **MEASUREMENTS**

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#### METHODS OF ANALYSIS AND **RESULTS** (See Ramsay and Huber 1983)

#### METHOD 3. COLLECTION OF ORIENTED **SAMPLE**

- 3.1 Record orientation of bedding, cleavage and bedding/cleavage intersection.
- 3.2 Mark and record reference orientation as in Section 2.7.  $\ldots$  and  $\alpha$  is a section 2.7.
- 3.3 Collect oriented sample.

INITIALLY ELLIPTICAL **OBJECTS** Conglomerate pebbles and sedimentary grains.

DIRECT FIELD MEASUREMENT 4.1 Measure orientations as in 1.1.

4.2 As in METHOD 1, above.

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PHOTOGRAPHING DEFORMED PEBBLES As in METHOD 2, above.

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#### COLLECTION OF ORIENTED SAMPLES As in METHOD 3, above.

#### Reorient sample in laboratory. Identify principal strain ellipsoid planes. Slab along XY, YZ and XZ planes. Analyse using techniques in METHOD 2.

Plot  $Rf/\varphi$  diagram — determine finite strain ellipse for each principal plane.

Combine data from principal planes.

Analyse photograph in laboratory using Fry or  $Rf/\varphi$  techniques.

Combine data from the three principal planes, as in METHOD 1.

As in Method 3. Analyse using Fry or R/ø methods.

Combine data from the three principal planes, as in METHOD 1.

KNOWN INITIAL **ANGULAR RELATIONSHIPS** Bilaterally symmetric fossils, e.g. brachiopods, trilobites.

Other fossils - graptolites, ammonites.

#### D KNOWN INITIAL **LENGTHS OF LINE** Deformed belemnites, crinoids. Pressure shadows on competent

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#### METHOD 4. DIRECT FIELD **MEASUREMENTS**

- 4.1 Measure and record orientation data as in 1.1.
- 4.2 Mark reference direction on surfaces from which measurements are to be taken-usually this is the bedding/cleavage intersection lineation or equivalent.
- $4.3$ Measure present angular relationships ( $\theta$ ) of lines (initially at  $90^\circ$ ).

#### PHOTOGRAPHING THE DEFORMED **FOSSILS**

As in METHOD 2.

#### COLLECTING ORIENTED SAMPLES As in METHOD 3.

FOR ALL METHODS DESCRIBED BELOW: Measure and record orientation of plane in which the deformed line occurs. Measure orientation of line.

Calculate shear strains from measured angles ( $\theta$ ): shear strain  $\gamma$  = tan (90- $\theta$ ).

Use Breddin graph to calculate axial ratios of the strain ellipse in the plane of measurement, usually the bedding plane.

Analyse in laboratory as in METHOD 4.

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#### Analyse as in METHOD 4.

Calculate strain (final length-initial length)/(initial length). and in the supplier where relations

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#### C.R.L. Friend, Mineralogical Magazine

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